

CMPT 155: Computer Applications for Life Sciences

Lecture 12: Importing, Sorting and Parsing Data; Matrix Operations

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Presentation Outline

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 - Parsing Data
 - Sorting Data
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Homework & Administrative Schedule

- Homeworks:
 - ▶ #7 Due: Friday, April 29rd at 6pm
 - ▶ #8 Due: Friday, May 6th at 6pm
- Final Exam Review: Tuesday, May 3rd at 6pm
- Mock Final Exam: Wednesday, May 4th
- **Final Exams:**
 - ▶ Section 01 (8am) Final Exam: May 9th 11am - 1pm
 - ▶ Section 02 (9am) Final Exam: May 10th 11 am - 1pm

Importing Data

Data can be imported from:

- text files (e.g., .txt, .csv)
- database connections (e.g., MySQL, MSAccess)

Importing from Text Files

Importing Data From Text

- right (Ctrl) -click a text file and try opening it with Excel
- In the Data Tab go to (Get Data) followed by From Text
- The Text to Columns wizard should start up.

Parsing Data

Data can be parsed using the Text to Columns wizard.

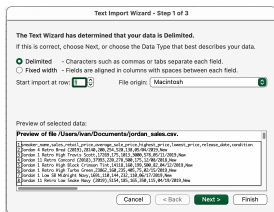


Figure: Step 1: Specify the way you wanted to delimit (i.e., separate/find breaks) in your data.

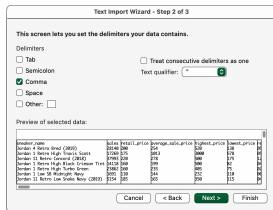


Figure: Step 2: Apply the delimiter that makes sense for your raw data. In this case 'Commas', ',' is our delimiter.

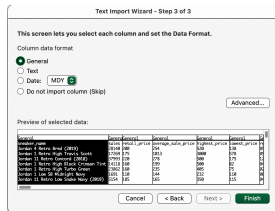


Figure: Step 3: Verify that data has been parsed correctly, and add final touches and/or Advanced options.

Concatenating Data

Cells can be concatenated by using the '&' operator or using CONCAT().

	A	B	C	D	E	F	G	H		
1	sneaker_name	sales	retail_price	average_sale_price	highest_price	lowest_price	release_date	condition		
2	Jordan 4 Retro Bred (2019)	28140	200	254	520	138	5/4/19	New		
3	Jordan 1 Retro High Travis Scott	17269	175	1013	3000	578	5/11/19	New		
4										
5	Concatenated using									
6	CONCAT	=CONCAT(A2:H2)	Jordan 4 Retro Bred (2019)	28140	200	254	520	138	578	New
7	&	=A2&B2&C2&D2 &E2&F2&G2&H2	Jordan 4 Retro Bred (2019)	28140	200	254	520	138	578	New

Sorting Data

Data can be sorted in the Home → Sort & Filter Menu:

- manually by using 'Custom Sort' wizard.
- by A-Z by using 'Sort A to Z' or 'Sort Z to A'.
- automatically selecting Filter icon and using the Filter submenus.

Filtering Data

Data can be filtered and sorted using the Autofilter button in the Data Tab.

Example 1: NY data

Restated from p.45

- 1 Open: [NYC Open Data Search 311 Service Requests 2010 to Present](#).
- 2 Click Export → CSV. A very long download should start.
 - ▶ If you want to get a feel for the data try using a snippet of this dataset called NYCOpenData311Sample.csv
- 3 Try importing this data using the Data import wizard.
- 4 Try answering the following questions:
 - a. How Many 311 requests were filed under the Department of Transportation (DOT), and how many were filed under the NYPD?
 - b. How many complaints did each Borough(Community) have?
 - c. What Type of complaint was the most common?
 - d. What were the Unique Keys, and Descriptors of the complaints **not** associated with Noise?

Example 1: Solution

Question No.	Answer
a	DOT = 2; NYPD = 12
b	Manhattan = 5; Bronx = 3; Brooklyn = 4; Queens = 2
c	Noise Complaint

d.

Unique Key	Descriptor
997177	Pothole
53995389	With License Plate
53994527	Blocked Hydrant
53999207	Plate Condition - Noisy
54000934	Blocked Hydrant

Exercise 1: Jordan Sales

- 1 Import the file 'JordanSales.csv'.
- 2 Use Autofiler to Create Filter Criteria.
- 3 Answer the following Questions about the data set.
 - ▶ What is the average sneaker sales price for release years 2014 through 2019?
 - ▶ How many options does a customer have if they want a sneaker from 2019 with an average retail price between \$175-\$250?
 - ▶ Based on your taste, what release year would you buy from and how much would you be willing to pay for Jordans?

Matrices

Matrices are arrays of numbers m -rows and n -columns. Similar to how we performed operations on cells with single values, certain operations can be applied to matrices. Matrices can be labeled using capital letters.

$$\mathbf{A} = \begin{bmatrix} 1 & 3 \\ 2 & 6 \\ 7 & 9 \end{bmatrix} \quad \mathbf{B} = \begin{bmatrix} 4 & 5 & 8 \\ 10 & 11 & 12 \end{bmatrix} \quad \mathbf{C} = \begin{bmatrix} 5 & 6 \\ 7 & 8 \end{bmatrix} \quad \mathbf{I} = \begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix}$$

Matrix Operations

Addition: +

- Matrices must be the same size
- Size: $(m \times n) - (m \times n)$
- Output Size: $m \times n$
- Example: $\mathbf{A} + \mathbf{A} = 2\mathbf{A}$

Subtraction: -

- Matrices must be the same size
- Size: $(m \times n) - (m \times n)$
- Output Size: $m \times n$
- Example: $\mathbf{A} - \mathbf{A} = \mathbf{0}$

Matrix Operations: Continued

Multiplication: MMULT()

- Number of rows in first matrix **MUST** equal number of columns in the second matrix.
- Size: $(m \times n) \cdot (n \times r)$
- Output Size: $m \times r$
- Example: $\mathbf{A} \cdot \mathbf{B} = \mathbf{AB}$

Determinant: MDETERM()

- Square matrices only
- Size: $n \times n$
- Output Size: Single Value
- Example: $\det(\mathbf{C}) = -2$

Matrix Operations: Continued

Inverse: MINVERSE()

- Square nonsingular matrices only.
- Size: $n \times n$
- Output Size: $n \times n$
- Example: \mathbf{C}^{-1}

Transpose: TRANSPOSE()

- All Matrices
- Size: $m \times n$
- Output Size: $n \times m$
- Example: \mathbf{A}^T

Solving Linear Equations with Matrices

Linear equations with three unknowns can take the form:

$$10x + 12y + 15z = 40$$

$$11x + 12y + 14z = 80$$

$$3x + 4y + 4z = 24$$

Expressing this equation using matrices we get,

$$\mathbf{AX} = \mathbf{b}$$

Where

$$\mathbf{A} = \begin{bmatrix} 10 & 12 & 15 \\ 11 & 12 & 14 \\ 3 & 4 & 4 \end{bmatrix} \quad \mathbf{X} = \begin{bmatrix} x \\ y \\ z \end{bmatrix} \quad \mathbf{b} = \begin{bmatrix} 40 \\ 80 \\ 24 \end{bmatrix}$$

Example 2: Solution

The solution to this equation is

$$\mathbf{AXA}^{-1} = \mathbf{bA}^{-1}$$

$$\cancel{\mathbf{AXA}^{-1}} = \mathbf{bA}^{-1}$$

$$\mathbf{X} = \mathbf{bA}^{-1}$$

We can express this solution in Excel by:

- 1 Writing out arrays for **A** and **b**.
- 2 Using MINVERSE() on the selection for **A** to derive **A**⁻¹.
- 3 Using MMULT() to multiply **b** by **A**⁻¹.

Example 2: Solution

	A	B	C	D	E
1	Matrix A				Matrix b
2	10	12	15		40
3	11	12	14		80
4	3	4	4		24
5					
6	Matrix A INV				Matrix b(A⁻¹)
7	-0.5	0.75	-0.75		22
8	-0.125	-0.3125	1.5625		7.5
9	0.5	-0.25	-0.75		-18

Further Reading

The topics covered in the lecture can be found in *Compter Applications for Life Sciences* p.39-46 and p. 85-90