

# COeXISTENCE

Playing urban mobility games with intelligent machines.  
Framework to discover and mitigate human-machine conflicts.

ERC Starting Grant, 2023-2028,  
@ GMUM, Faculty of Mathematics and Computer Science, Jagiellonian University, Kraków  
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# Central hypothesis

## CONFLICT or COeXISTENCE

intelligent machines in urban mobility games will learn to win at the cost of humans.

### Context

AI-driven technologies are ready to enter urban mobility. They promise **relief** to the notoriously congested transport systems in pursuing sustainability goals.

### Problem

Since AI already **outperforms** humans in the most complex games (chess and Go) it is likely to win the urban mobility games as well.

Tempting us and policymakers to gradually **hand over** our decisions to intelligent machines.



### Objective

experimentally **discover** the existence **machine-dominated urban mobility system, where (collective) decisions of machine intelligence improve system-wide performance, yet at the cost of humans**, now facing e.g. longer travel times costs or being nudged to change natural travel habits into the optimal ones - desired by the machine-centred system.

### Solution

#### Method

##### A: SIMULATE



agent-based urban mobility simulation

##### B: DISCOVER



broad and deep expedition searching for **conflicts** by the:

##### C: ASSESS



where conflicts are quantified from various perspectives

##### D: MITIGATE



machines become responsible and mitigate conflicts

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agent-based urban mobility simulation	broad and deep expedition searching for <b>conflicts</b> by the:	where conflicts are quantified from various perspectives	machines become responsible and mitigate conflicts

# myself

Rafał Kucharski

**now:** assist. prof, Jagiellonian University, Faculty of Math. and Comp-  
Sci, **GMUM**, prof. Jacek Tabor

**2023-2028** ERC Starting Grant - **COeXISTENCE** 3 PhDs + PostDoc.

**2021-2024** NCN OPUS - **Post-corona shared mobility** 2 PhDs + PostDoc.

**past:** PostDoc @ **TU Delft** working in Critical MaaS **ERC Starting Grant**

**past<sup>2</sup>:** assist. prof @ **Politechnika Krakowska**, prof. Andrzej Szarata

**PhD:** DTA, La Sapienza Rome, prof. Guido Gentile

- outside academia:**
- R&D software developer (PTV SISTeMA)
  - transport modeller (models for Kraków, Warsaw and more)
  - data scientist, ML engineer (NorthGravity)



## An isometric illustration of a city street intersection. The scene features several tall, modern buildings in shades of blue and grey. A road with dashed white lines runs through the center, with a black circle highlighting a specific area where a yellow car is turning. Other vehicles, including yellow and pink cars, are visible on the road. A river or canal flows through the background on the right side.

## problem formalization

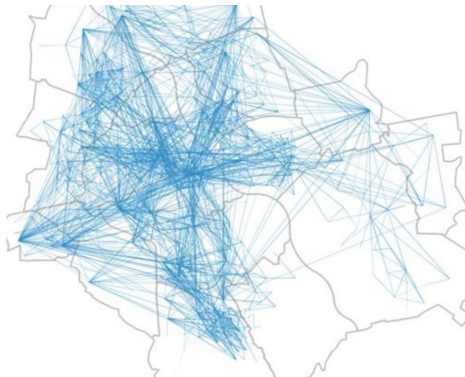
each **agent** (person, traveller)  $i$  wants to travel from her origin  $o$  to her destination  $d$  at a given time  $\tau$

$$q_i = \{o_i, d_i, \tau_i\}$$

in the morning we travel from homes to work/school  
in the afternoon we come back

each of us **chooses** where she lives, works, goes to school  
and **when** she travels.

demand patterns of agents evolve, adapt and fluctuate day-to-day  
yet can remain predictable





# Networks

travel times, costs and capacity

## Congestion

travel time is the **non-linear function** of the demand (flow) and the capacity:

$$c_a(\tau) = f(t0_a, q_a(\tau), Q_a) \approx t0_a \left(1 + (q_a/Q_a)^b\right)$$

## Shortest path search

the shortest path from  $o_i$  to  $d_i$  depends on the flows  $q_a : a \in A$

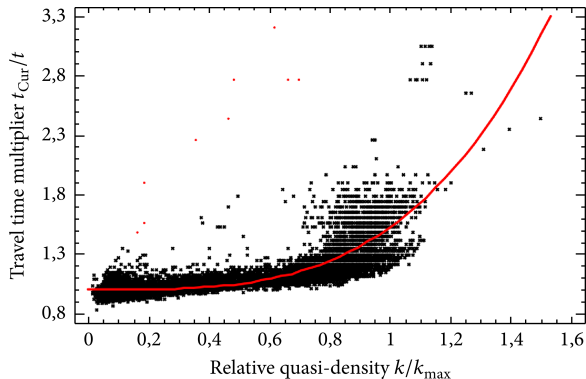
## Fixed point problem

- 1 Travel time is a function of the flow:

$$t_a = f(q_a)$$

- 2 Flow is the function of travel time (we use links least congested):

$$q_a = f(t_a)$$



# Assignment problem

## Network flows

### Problem

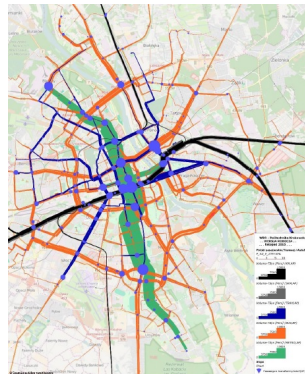
Determine the **flow**  $q_a(\tau)$  and cost  $c_a(\tau)$  for each link in the network  $a \in A$  throughout the day  $\tau \in T$

### User-perspective

Each agent  $i$  selects the path  $k$  from her origin  $o_i$  to destination  $d_i$  at her departure time  $\tau$ :

$$k_{od} = \arg \min_{k \in K_{od}} \sum_{a \in k} c_a$$

path  $k$  is a sequence of links starting at origin  $o$  ending at destination  $d$ . Among the all possible paths  $K_{od}$  each of us selects the best one.



# Solutions

## Price of anarchy

### All or nothing

We all choose shortest **free-flow** paths, assuming that we are the only ones in the city.

We **regret** very soon, in a completely jammed city.

### System Optimum - Amazon warehouse

We are all centrally controlled and follow the centralized guidelines.  
The costs are minimal, the freedom as well.

We do not control  $\Delta c_{k,i} = c_{k,i} - \min_{k' \in K} c_{k',i}$

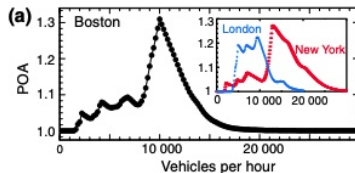
### User Equilibrium

each user chooses the route that is the best.  
a user-optimized equilibrium is reached when no user may lower his transportation cost through unilateral action  
and when her **expectations equal the realization**

### Price of anarchy

Difference between total costs in the User Equilibrium and (the minimal ones) in the System Optimal

$$PoA = C_{UE} / C_{SO} = \sum_{i \in \mathcal{I}} c_{i,UE} / \sum_{i \in \mathcal{I}} c_{i,SO}$$



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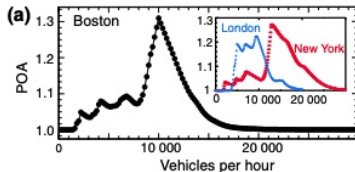
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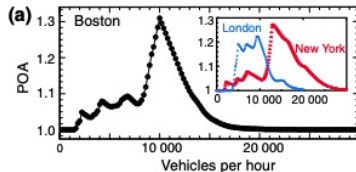
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# Rational utility maximisers

## Rational

Let's assume all humans are rational:

$$\Pr(k|od, i) = \Pr \left( c_{k,i} = \min_{k' \in K_{od}} c_{k',i} \right)$$

i.e. we take the **best** option.

## Perceived costs - utility

length and travel time are **physical**  
cost is **subjective**, in discrete choice called **Utility**

$$U_{k,i} = \beta_{0,i} + \beta_{t,i} t_k + \beta_{c,i} c_k + \dots + \varepsilon$$

$\beta_0$  alternative-specific constant, i.e. taste variation, i.e. sentiment

$\varepsilon$  random term

$\beta_t$  value of time (10€/h)

$\beta_c$  value of money



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# User equilibrium

As an iterative game

## Solution

As with Nash equilibria, simple solutions to selfish equilibrium can be found through **iterative simulation**, with each agent assigning its route given the choices of the others. This is very slow computationally. The Frank–Wolfe algorithm improves on this by exploiting dynamic programming.

## Algorithm 1: Wardrop

### Wardrop

**inputs:** set  $\mathcal{A}$  or agents, defined as  $i = \{o_i, d_i, t_i\} : a \in \mathcal{A}$

**foreach** day/iteration until convergence  $t \in \mathcal{T}$  **do**

**foreach** agent  $i$  **do**

$k_i = \arg \min_{k \in K_i} c_k$

# each agent rationally selects the best option

$c_k(t) = f(q_a : a \in k)$

# collect feedback from environment - travel times

$c_k = f((c_k(t') : t' = 0, \dots, t))$

# and builds experience



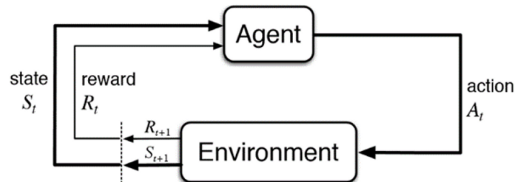


# User equilibrium

as an iterative learning

## Reaching equilibrium paraphrased

- Traveller has a goal to reach to destination at lowest costs
- She makes actions - selects paths
- The environment changes (others are making actions) - the link costs  $c_a$  change  $c_a = f(q_a)$
- Agent **learns** to minimize the costs



# Connected autonomous vehicles

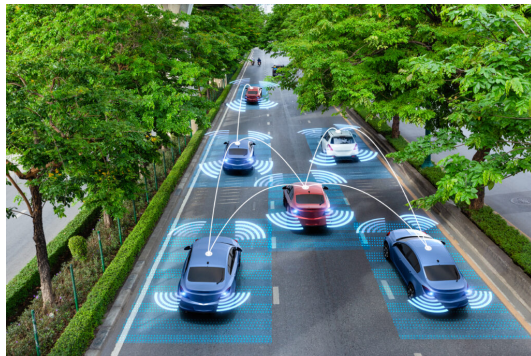
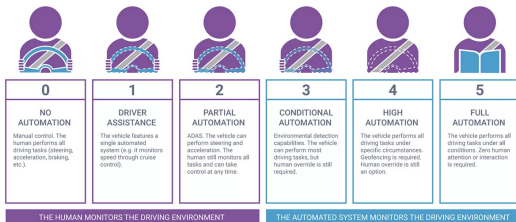
## CAVs

### Autonomous car

a car that is capable of travelling without human input

synopsys®

### LEVELS OF DRIVING AUTOMATION



# CAV

## decision maker

### Autonomy

Now the focus is on making them capable to drive

but the challenge is beyond that (personal opinion)

### Decisions

Now CAVs are 3yo kids and we teach them how to walk and not to get lost.  
The real problems come when they are **teenagers** and they start making decisions



# CAV

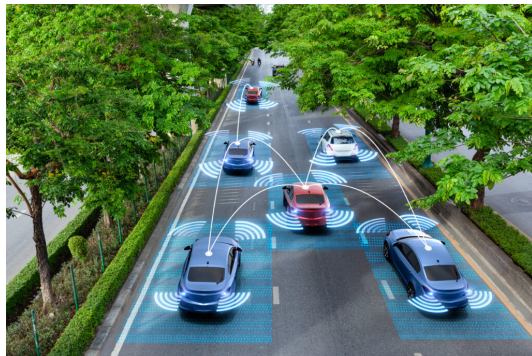
## decision maker

### Decisions

- route-choice: how to get to destination?
- time-choice: when to leave?
- destination choices: which shopping mall?
- predictions: will it be crowded tomorrow?

### System decisions

- pricing: how much should we charge Mr. X for his Uber
- service: how to reposition a fleet of our vehicles across the city?



# mixed population

## multi-class assignment

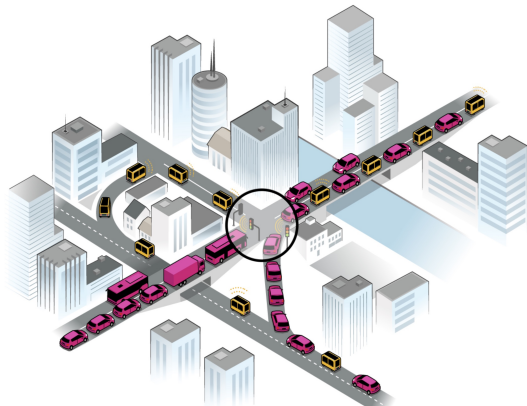
### Mixing SO with UE

Let's assume we have two classes of users, each behaving differently.

humans behavioural, rational utility maximisers;

$X$  controllable, obedient, non-selfish;

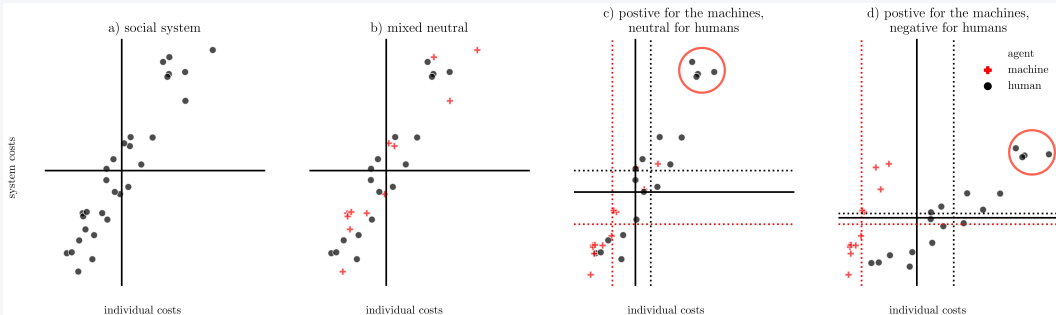
$X'$  and potentially two **competing** providers.



# Possible impact

## Taxonomy

### What can we expect



### Objective

Experimentally demonstrate case d) and show is we can reach COeXSITENCE

# Advantages

not digital-twins

## Machines (unlike humans):

- are designed to behave optimally, i.e. use all the data and computational power to make optimal decisions;
- can collaborate, i.e. share information and cooperatively reach synergy;
- may understand human behaviour: predict it and anticipate our decisions;
- are automated and thus controllable by design;

## This means:

- $c_a$  is controllable by design - reward function, not bounded by rationality
- $C_G = \sum_{a \in G} C_a$  - possibly collective rewards
- $p_{k,a} \in \{0, 1\}$  - deterministic choices (controllable)



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# Conflicts

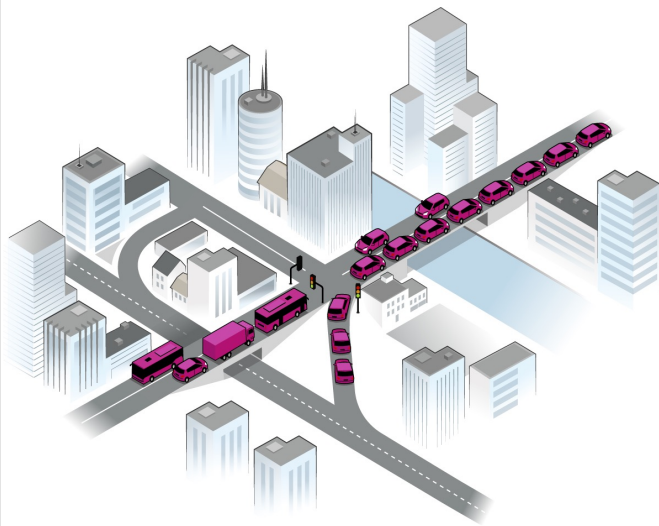
## novel phenomena

congested bottleneck with  
limited capacity

we (humans) rationally  
optimize our decisions

and reach **user-equilibrium**:

- democratic
- egalitarian



# Conflicts

## new players

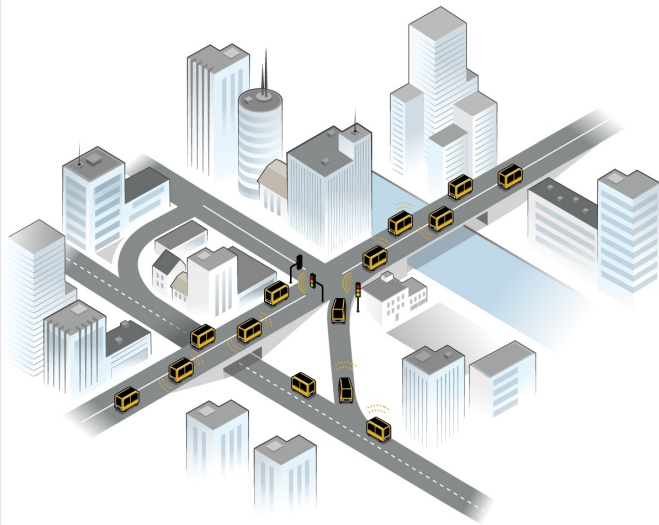
intelligent machines

change the rules of the game

better at:

- calculations
- access to data
- controllable
- collaborative

**designed to win**



COeXISTENCE

discover and mitigate human-machine conflicts in Urban Mobility

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# Conflicts

## by collaboration

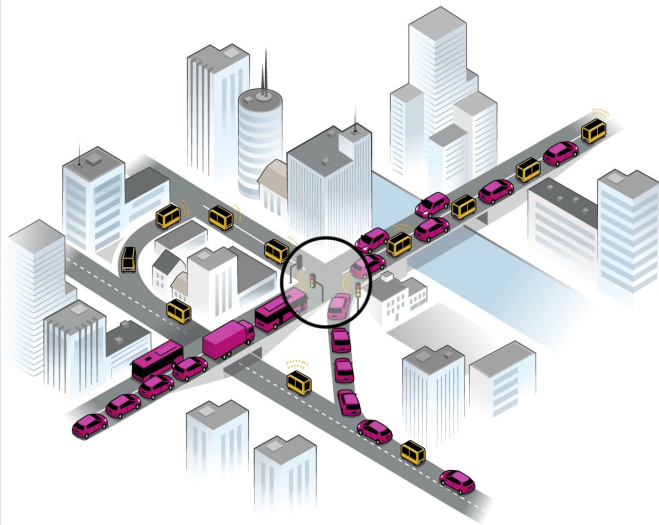
machines **trick**  
the demand-actuated  
traffic lights

collaboratively reroute

receive more green light

pass the bottleneck faster

humans queue longer

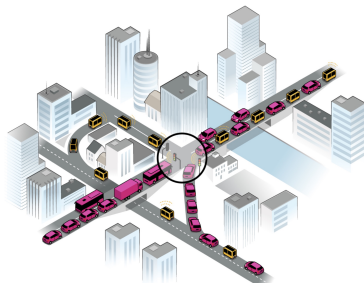


COeXISTENCE

discover and mitigate human-machine conflicts in Urban Mobility

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## summary



# COeXISTENCE

framework to discover how machine intelligence may take-over our urban mobility and how to avoid it

**URBAN  
MOBILITY**

=

**SUPPLY**

+

**DEMAND**

+

**INTELLIGENT  
MACHINES**



sustainability  
efficiency



infrastructure



people



**COeXISTENCE**

anticipate  
demonstrate  
resolve

**paradigm shift in  
urban mobility**

# COeXISTENCE

ERC Starting Grant

Thank you for your attention,  
welcome to discuss  
feel free to join us (to inner- or outer-circles)

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