#### Modular Reinforcement Learning in Soar

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#### Outline

#### 1 Motivation

#### **2** Modular Reinforcement Learning

#### **3** Soar Implementation

#### **4** Results

#### **5** Conclusions

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## Soar Reinforcement Learning

- Framework
  - Rl-rules assign numeric preferences to *state-operator* pairs
    - Multiple rl-rules can match any given *state-operator* pair
    - Test for different features, combination of features
  - Value of the preferences is learned using *QLearning* or *SARSA*
  - Value of numeric preferences determines which operator is selected

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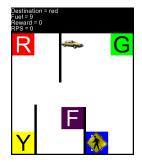
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  - Numeric preferences with exploration

# Complex Problems

- Multiple goals and subgoals
- Hierarchical solutions
  - divide learning tasks into subtasks with termination conditions
  - subtasks can be combined sequentially to solve larger tasks
  - by Dietterich (2000)<sup>1</sup> for the *taxi-cab* domain

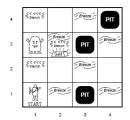


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# Complex Problems

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  - divide learning tasks into subtasks with termination conditions
  - subtasks can be combined sequentially to solve larger tasks
  - by Dietterich  $(2000)^1$  for the *taxi-cab* domain
- Not all problems can be divided into a series of subtasks
  - concurrent subtasks, interrupting
  - suggest contradicting actions
  - can only be partially satisfied





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#### T-Maze Example

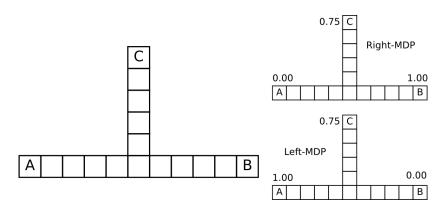


Figure: Multi-MDP T-Maze

The current Soar-RL framework can learn only the composite policy.

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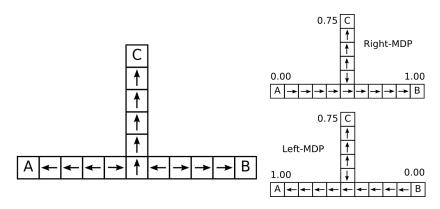


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• Goal

- Discovering a composite policy for a set of N MDPs,  $\{M_i\}_1^N$
- Separate learning module (*sub-agent*) is created for each component MDP.
- Problem Formalization
  - as in Humphrys  $(1997)^1$ , Karlsson  $(1997)^2$
  - Each MDP has a distinct state space  $S_i$ 
    - Composite state space  $S = S_1 \times S_2 \times \ldots \times S_N$
  - Share a common action space,  ${\cal A}$
  - Each MDP has distinct reward  $R_i$ 
    - Composite reward  $R(s, a) = \sum_{i=1}^{N} R_i(s_i, a)$

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 $<sup>^{1}\</sup>mathrm{Humphrys},$  M. (1997). Action Selection Methods Using Reinforcement Learning. PhD thesis, University of Cambridge

<sup>&</sup>lt;sup>2</sup>Karlsson, J. (1997). Learning to Solve Multiple Goals. PhD thesis, University of Rochester

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#### Action Selection

• Multiple strategies can be used  $(Humphrys, 1997)^3$ 

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- Negotiated W-Learning
  - Select the subagent that stands to lose the most
- Impossible to attain *ideal* arbitration (Bhat et al.,  $2006)^4$ 
  - $\bullet\,$  with properties like, universality, unanimity, scale invariance

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### Changes in rules, input, structure

- Multiple rewards on the reward link
  - correspond to different MDPs present in the environment

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• RL-rules with *labels* 

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# Changes in Algorithm

- Rl-rules and *labels* have a *many-to-many* ordering
- Value function update is distributed by *labels* 
  - discounted reward is divided equally amongst matched rl-rules with corresponding label
  - numeric value of an rl-rule is incremented by the sum of updates for different labels on it

# Changes in Algorithm

- Rl-rules and *labels* have a *many-to-many* ordering
- Value function update is distributed by *labels* 
  - discounted reward is divided equally amongst matched rl-rules with corresponding *label*
  - numeric value of an rl-rule is incremented by the sum of updates for different *labels* on it
- Action Selection
  - Current architecture supports Greatest Mass Learning
    - Operators are selected according to their combined numeric value  $X_a = \sum_j Q_j(s, a)$  with some exploration
  - Other action selection schemes to be explored

T-Maze

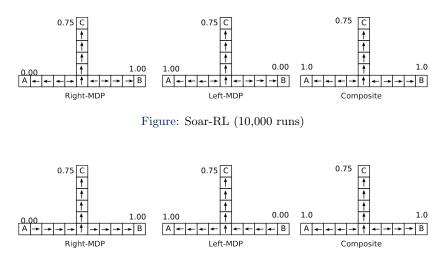


Figure: Soar-Modular-RL (10,000 runs)

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# Infinite Mario

- Object-oriented environment
- Previously,
  - Experimented with *action-selection* based on *class* of objects
  - Could not learn how to navigate in difficult situations
- Learn MDPs for a class of objects
  - Each object regulated a part of the reward signal
  - Individual updates to policy



Figure: Infinite Mario, difficulty 1

#### Infinite Mario - Results

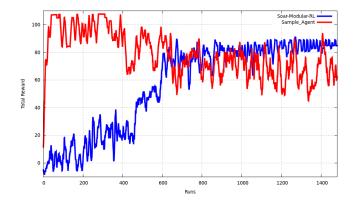


Figure: Infinite Mario, Difficulty 1, Seed 121

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# Conclusions

- Limitations
  - No optimality guarantee for the composite solution in QLearning
    - each module is guaranteed to converge to an optimal policy, value function
    - composite solution is guaranteed to converge (derives deterministically from component solutions)
  - Only very weak convergence guarantees in very specific situations for SARSA (Sprague, 2003)  $^5$

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  - Only very weak convergence guarantees in very specific situations for SARSA (Sprague, 2003)  $^5$
- Future Work
  - More experiments with action selection
  - How can rewards be distributed amongst components?

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# Nuggets and Coal

#### • Nuggets

- An interesting, new approach to look at complex environments and faster solutions
- A better solution to Infinite Mario problem (took ~3 years)
- Can lead to better understanding of how soar-rules map to MDPs in RL setup
- Coal
  - Limited in variety of ways
  - Have done only limited experimentation with established methods
  - Distributing rewards amongst components might be a hard problem
  - Impossibility of an *ideal* arbitration function