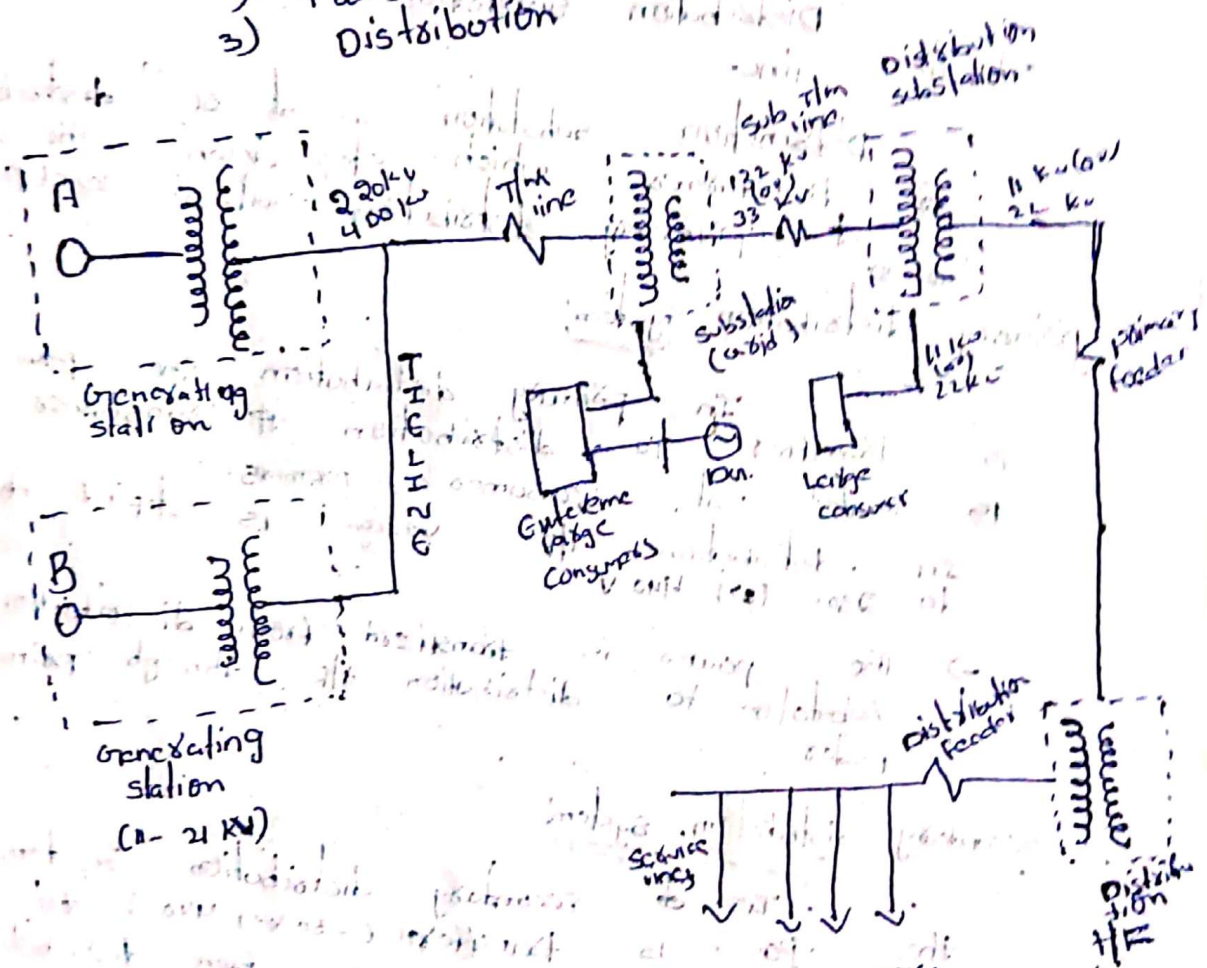


Unit - I

Introduction to Distribution Systems:

Power electrical systems are comprised of 3 basic subsystems:

- 1) Generation
- 2) Transmission
- 3) Distribution



→ In generating station we generate the voltage of 11 KV (or) 21 KV.

→ This generated voltage we have to transfer to so far distances. So we have to step up the generating voltage to 220KV (or) 400KV to overcome the losses.

→ From T.M. line the voltage is fed to substation grid. Here the voltage levels are stepped down to 132 KV (or) 33 KV. And in substation grid the power is supplied to extreme large consumers and then transmitted to large consumers and then distribution substation through

Sub transmission line.
→ From this point distribution system is being considered.
Distribution system is divided into three distinct subsystems.

- 1) Distribution substation
- 2) primary distribution system
- 3) secondary distribution system.

1) Distribution substation:

Distribution substation receives power from sub transmission line.

Distribution substation consist of a transformer which step down the voltage level. (11 kV to 400V or 22kV)

Primary distribution system:

In primary distribution the power is transferred to distribution transformer which is located at consumers premises. In distribution the voltage is stepped down to 230V (or) 440V.

→ The power is transferred from distribution substation to distribution through primary feeders.

secondary distribution system:

In secondary distribution system the power is transferred (230V or 440V) to the meter of consumers from distribution lines through distribution feeders and service lines.

Some basic definitions:

connected load:

connected load refers to that all of load which consume power from a power system when its switch on.

Sum of continuous rating of entire load consuming apparatus connected to the system.

Maximum demand -
that the circuit is likely draw at any time.

Demand factor:
It is defined as the ratio of maximum demand to connected load.

Average load:
It is defined as total no. of units generated per annum.

Avg load = $\frac{\text{Total no. of units generated}}{8760}$

Diversity factor
It is defined as the ratio of sum of individual maximum demand to maximum power system.

-> It is always greater than one.

Coincidence factor:
It is defined as the ratio of maximum demand to the sum of individual maximum demands.

-> It is always less than one.

Load diversity factor:

It is mathematically defined as:
Load diversity = $\frac{\text{sum of individual loads} - \text{peak load}}{\text{of combined load}}$

Loss factor

It is the ratio of average power loss to power loss at peak load.

Load factor:

It is ratio of average demand to maximum demand.

Load factor = $\frac{\text{Energy produced in given time}}{\text{max demand} \times \text{hours of operation}}$

Each Load factor is always less than one.

plant capacity factor

It is ratio of average annual load to the plant rated capacity.

$$\text{plant capacity factor} = \frac{\text{energy produced in one year}}{\text{plant rated capacity} \times 8760}$$

plant use factor

It is defined as.

$$\text{plant use factor} = \frac{\text{Actual energy produced}}{\text{plant capacity} \times \text{operation time in hrs}}$$

utilization factor

It is ratio of maximum load to rated capacity. (or) installed capacity.

problems

- 1) A residential consumer has a connected load of 6 lamps each of 100 w and 4 fans of 60 w at his premises. His demand is follows.

From 12.00 am - 5 am - 120 w

5 am - 6 pm - no load

6 pm - 7 pm - 380 w

7 pm - 9 pm - 680 w

9 pm - 12 am - 420 w

a) plot load curve.

b) Find energy consumption in 24 hrs.

c) Find demand factor, average load, maximum load and load factor.

Total energy consumption in 24 hours

$$= 5 \times 120 + 380 \times 1 + 680 \times 2 + 420 \times 3$$

$$= 3600 \text{ wh}$$

$$\text{demand factor} = \frac{\text{maximum demand}}{\text{connected load}}$$

$$= \frac{680}{(6 \times 100 + 4 \times 60)}$$

$$= 0.809$$

$$\text{Average load} = \frac{\text{energy consumption}}{\text{no. of hours}}$$

$$= \frac{3600}{24} = 150 \text{ w}$$

$$\text{load factor} = \frac{\text{Average load}}{\text{maximum load}}$$

$$= \frac{150}{880} = 0.22$$

2) A generating station has maximum demand of 80 Mw, a load factor of 65% a plant capacity factor of 40% and plant use factor of 85%. Find:

- Daily energy produced
- Reserve capacity of plant
- maximum energy that could be produced daily if plant was running all time.
- maximum energy that could be produced daily if plant was running as per operating schedules.

Sol:

Given:

$$\text{maximum demand} = 80 \text{ Mw}$$

$$\text{load factor} = 0.65$$

$$\text{plant capacity factor} = 0.4$$

$$\text{plant use factor} = 0.85$$

$$\text{load factor} = \frac{\text{Avg load}}{\text{max demand}}$$

$$\text{Avg load} = 0.65 \times 80$$

$$= 52 \text{ Mw}$$

$$\text{Daily energy produce} = \text{Avg load} \times 24$$

$$= 52 \times 24 = 1248 \text{ MWh}$$

$$\text{Reserve capacity} = \text{installed capacity} - \text{max demand}$$

$$\text{we know plant capacity factor} = \frac{\text{Avg load}}{\text{plant rated capacity}}$$

$$= \frac{\text{Avg load}}{\text{Installed capacity}}$$

$$0.4 = \frac{\text{Avg load } 52}{\text{Installed capacity}}$$

$$\text{Installed capacity} = \frac{52}{0.4} = 130 \text{ Mw}$$

$$\text{Reserve capacity} = 130 - 80 = 50 \text{ Mw}$$

maximum energy that could be produced daily if it was running all time = Installed capacity \times 24

maximum energy that could be produced daily if plant was running as per schedule = daily energy produced / plant use factor

$$= 1248 / 0.85 = 1468.2 \text{ MWh}$$

Relationship blw Load factor and Loss Factor :-

Problem!

The avg load of substation is 0.65. Determine the average loss factor of its feeders, if services: 1) Urban area 2) Rural area

For urban area: $FLS = 0.3FLD + 0.7(FLD)^2$
 $= 0.3 \times 0.65 + 0.7(0.65)^2$
 $= 0.49$

For rural area: $FLS = 0.16FLD + 0.84(FLD)^2$
 $= 0.16(0.65) + 0.84(0.65)^2$
 $= 0.53$

Classification of loads

The loads are classified into 6 types:

- 1) Domestic loads
- 2) Commercial loads
- 3) Industrial loads
- 4) Municipal loads
- 5) Agricultural loads
- 6) Traction loads

1) Domestic loads:

Domestic loads consist of lights, fans, home electric appliances (including TV, AC, refrigerator, heaters etc.), small motors for pumping water etc. Most of the domestic loads are connected for only some hours during a day.

For Domestic loads:

Demand factor $Df = 70-100\%$

Diversity factor = 1.2 - 1.3

Load factor $FLD = 10-15\%$

2) Commercial load:

Commercial load consists of electrical loads that are meant to be used commercially, such as restaurants, shops, malls, market areas, advertisements etc. This type of load occurs for more hours during the day as compared to domestic load.

Demand factor = 90-100%
Diversity factor = 1.1 - 1.2

Load factor = 25-30%

Industrial load:

Industrial load includes all electrical load used in industries along with employed machinery. Industrial load may be connected during the whole day.

These loads are classified into 5 categories

	<u>Load</u>	<u>DF</u>	<u>FLP</u>
1) Cottage industries	< 5 kw		
2) Small scale industries	5-25 kw		
3) Medium scale industries	25-100 kw		
4) Large scale industries	100-500 kw	70-80%	60-65%
5) Heavy industries	> 500 kw	85-90%	70-80%

Municipal loads:

This type of load consist of street lighting, water supply and drainage systems - street lighting is practically constant during night hours.

Demand factor $DF = 100\%$

Diversity factor $FD = 1.0$

Load factor $FL = 25-30\%$

Agricultural loads:

motors and pumps used in irrigation system to supply the water for farming comes under this category.

→ Generally irrigation loads are supplied during off-peak (or) night hours.

Demand factor $DF = 70-100\%$

Diversity factor $FD = 1-1.5$

Load factor = 20-15%

Traction load:

electric railways, tram cars, trolley bus etc. comes under traction loads.

Demand factor may vary time to time.

problems

Assume that annual peak load of primary feeder is 2000 kW. the power loss is; total copper loss is 80 kW per 3- ϕ . Assuming annual loss factor 0.15, determine

a) average annual power loss
b) Total annual energy loss due to the copper loss of feeder

Sol:-

$$\text{Peak load} = 2000 \text{ kW}$$

$$\text{Power loss at peak load} = 80 \text{ kW}$$

$$\text{loss factor} = 0.15$$

$$\text{Average power loss} = ?$$

$$\text{Annual energy loss} = ?$$

we know

$$\text{Loss factor } FL = \frac{\text{Avg power loss}}{\text{Power loss at peak load}}$$

$$0.15 = \frac{\text{Avg power loss}}{80}$$

$$\text{Avg power loss} = 12 \text{ kW}$$

$$\text{Annual energy loss} = 12 \times 8760$$

$$\text{Annual energy loss} = 105120 \text{ kWh}$$

A generating station has a connected load of 43 MW and a maximum demand of 20 MW. The units generated being 61.5×10^6 annum. Calculate (i) Demand factor (ii) Load factor

Sol:

Given:

$$\text{connected load} = 43 \text{ MW}$$

$$\text{maximum demand} = 20 \text{ MW}$$

$$\text{units generated/annum} = 61.5 \times 10^6$$

$$\text{i) Demand factor} = \frac{\text{maximum demand}}{\text{connected load}}$$

$$DF = \frac{20}{43} = 0.465$$

$$\text{ii) Load factor} = \frac{\text{Avg load}}{\text{max demand}}$$

$$\text{Avg load} = \frac{\text{no. of units generated / annum}}{\text{Total no. of units generated}}$$

$$= \frac{61.5 \times 10^6}{8760}$$

$$\text{Avg load} = 7020.54 \text{ kW}$$

$$F.L.O = \frac{7020.54 \text{ kW}}{20 \text{ MW}} = 0.3510 = 35.10\%$$

A diesel station supplies the following loads to various consumers

Industrial consumers = 1500 kW

Commercial load = 750 kW

Domestic load = 100 kW

Domestic light = 450 kW

If the maximum demand on the station is 2500 kW and no. of kWh generated per year is 45×10^5 . Determine
 i) Diversity factor
 ii) Annual load factor

$$\text{Diversity factor} = \frac{\text{Sum of individual maximum demands}}{\text{maximum demand on station.}}$$

$$= \frac{1500 + 750 + 100 + 450}{2500}$$

$$\text{Annual load factor} = 1.12$$

$$F.L.O = \frac{\text{Avg load demand}}{\text{max. demand}}$$

$$\text{Avg load} = \frac{\text{Total no. of units generated}}{8760}$$

$$= \frac{45 \times 10^5}{8760}$$

$$= 513.69 \text{ kW}$$

$$F.L.O = \frac{513.69}{2500} = 0.2054 = 20.54\%$$

Load modeling

Many electrical appliance and devices have an electrical load that varies with change in supply voltage.

The loads are classified into three categories based on how demand varies as a function of voltage.

- 1) constant power model
- 2) constant current model
- 3) constant impedance model

1) constant power model:
Here power is constant regardless of voltage.

$$P = VI \cos\phi$$

$$\text{Assum } \cos\phi = 1$$

$$P = VI$$

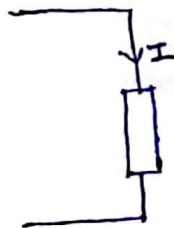
→ If voltage increase the current ^{get} decreases to maintain power as constant.

→ If voltage ~~increases~~ decreases the current ^{get} increases to main power as constant.

Examples of constant power load is:
Induction motors, air conditioners

2) constant current load:

In constant current load whatever may be the voltage across load i.e. if voltage across load increase (or) decreases the current might be constant.



$$P = VI \cos\phi$$

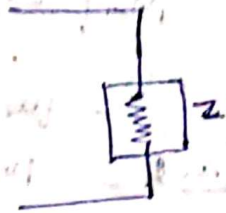
$$\cos\phi = 1$$

$$P = VI$$

If current is constant power is proportional to voltage.

Ex: welding, smelting, etc.

3) constant Impedance



Here the impedance of load is constant.

$$I = \frac{V}{Z}$$

when voltage increases
and voltage decrease

increases
decrease

current also increase
current also decreases

$$P = VI \cos\phi$$

$$\cos\phi = 1$$

$$P = VI$$

$$P = V \left(\frac{V}{Z} \right)$$

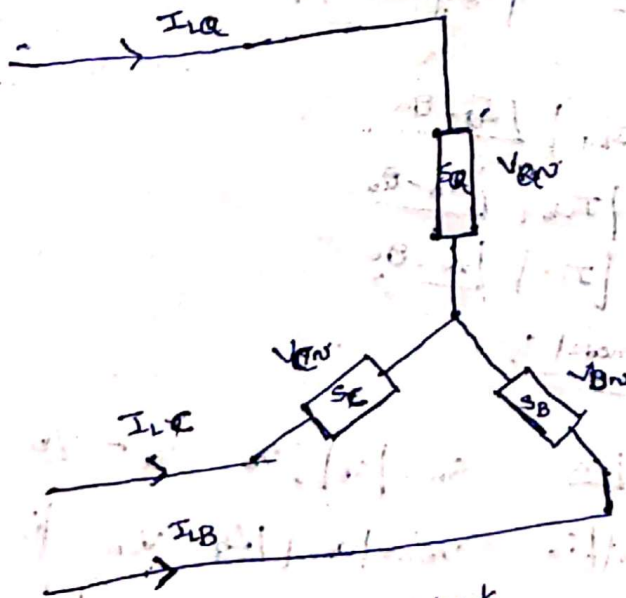
$$P = \frac{V^2}{Z}$$

$$I = \frac{V}{Z}$$

By making impedance as constant power is proportional to square of the voltage.

ex:- Incandescent lighting, resistive water heating etc...

Let us consider a star connected loads:-



consider constant power loads

$$S_a = |S_a| \angle \theta_a \quad S_b = |S_b| \angle \theta_b \quad S_c = |S_c| \angle \theta_c$$

$$V_{an} = |V_{an}| \angle \delta_a \quad V_{bn} = |V_{bn}| \angle \delta_b \quad V_{cn} = |V_{cn}| \angle \delta_c$$

$$I_{La} = \frac{|S_a| \angle \theta_a}{|V_{an}| \angle \delta_a} = \frac{|S_a|}{|V_{an}|} \angle (\theta_a - \delta_a) = I_{La} \angle \alpha_a$$

$$I_{Lb} = \frac{|S_b|}{|V_{bn}|} \angle (\theta_b - \delta_b) = I_{Lb} \angle \alpha_b$$

$$I_{Lc} = \frac{|S_c|}{|V_{cn}|} \angle (\theta_c - \delta_c) = I_{Lc} \angle \alpha_c$$

constant current load

$$S_a = |S_a| \angle \theta_a \quad S_b = |S_b| \angle \theta_b \quad S_c = |S_c| \angle \theta_c$$

$$|I_{La}| = \frac{|S_a|}{|V_{an}|}$$

$$|I_{Lb}| = \frac{|S_b|}{|V_{bn}|}$$

$$|I_{Lc}| = \frac{|S_c|}{|V_{cn}|}$$

The load current might be constant where as voltage might change.

The voltages be

$$|V_{an}| \angle \delta_a, |V_{bn}| \angle \delta_b, |V_{cn}| \angle \delta_c$$

$$I_{La} = |I_{La}| \angle (\theta_a - \delta_a)$$

$$I_{Lb} = |I_{Lb}| \angle (\theta_b - \delta_b)$$

$$I_{Lc} = |I_{Lc}| \angle (\theta_c - \delta_c)$$

constant impedance load

$$S_a = |S_a| \angle \theta_a \quad S_b = |S_b| \angle \theta_b \quad S_c = |S_c| \angle \theta_c$$

$$V_{an} = |V_{an}| \angle \delta_a \quad V_{bn} = |V_{bn}| \angle \delta_b \quad V_{cn} = |V_{cn}| \angle \delta_c$$

$Z_{ab} =$ These are actual voltages

nominal voltage of phase A = V_{an}^0

nominal voltage of phase B = V_{bn}^0

nominal voltage of phase C = V_{cn}^0

$$Z_a = \frac{|V_{an}^0|^2}{S_a^*} = \frac{|V_{an}^0|^2}{|S_a| \angle -\theta_a} = \frac{|V_{an}^0|^2}{|S_a|} \angle \theta_a$$

$$Z_b = \frac{|V_{bn}^0|^2}{S_b^*} \angle \theta_b$$

$$Z_c = \frac{|V_{cn}^0|^2}{S_c^*} \angle \theta_c$$

Throughout the operation this impedance will remain constant.

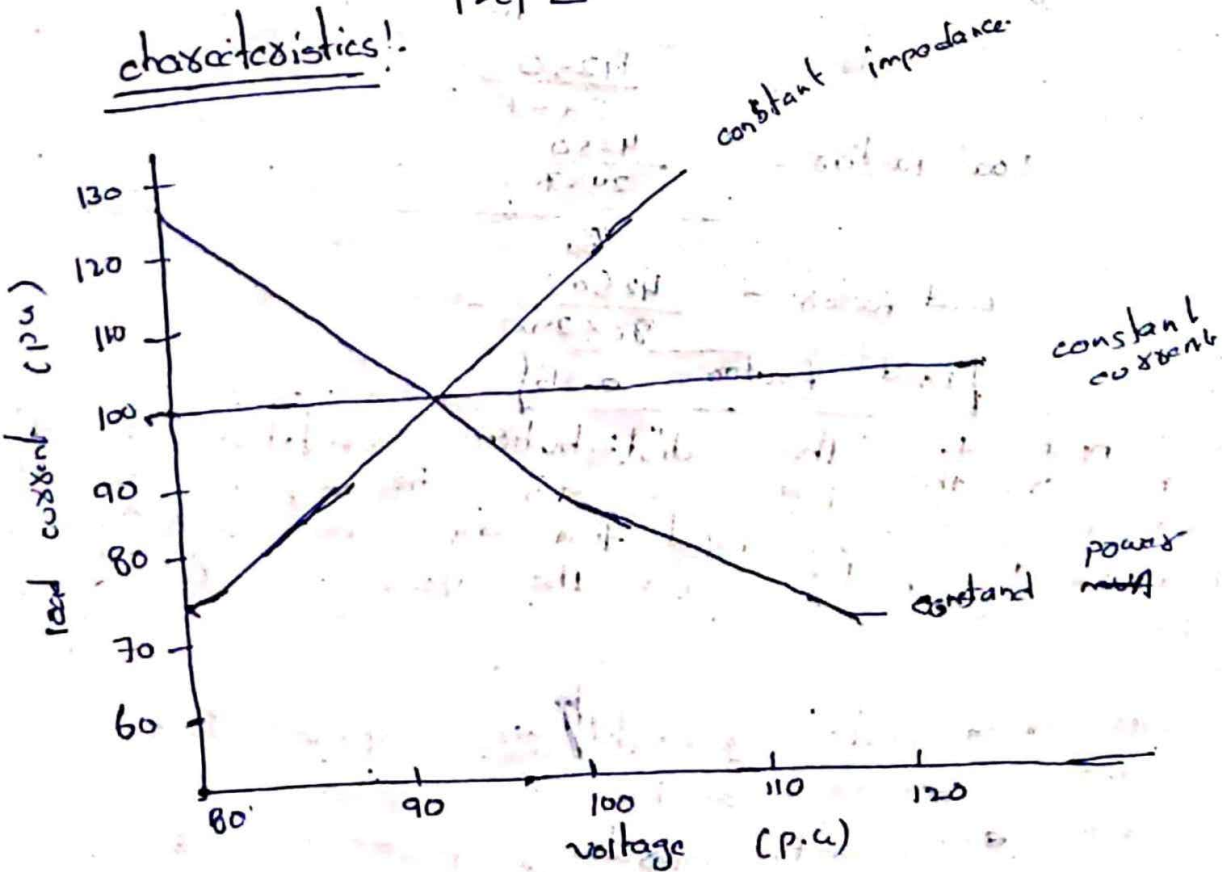
The load currents are given as a function of constant load impedance

$$I_{La} = \frac{|V_{an}| \angle \delta_a}{|Z_a| \angle \theta_a} = \frac{|V_{an}|}{|Z_a|} \angle \delta_a - \theta_a = |I_{La}| \angle \alpha_a$$

$$I_{Lb} = \frac{|V_{bn}| \angle \delta_b}{|Z_b| \angle \theta_b} = \frac{|V_{bn}|}{|Z_b|} \angle \delta_b - \theta_b = |I_{Lb}| \angle \alpha_b$$

$$I_{Lc} = \frac{|V_{cn}| \angle \delta_c}{|Z_c| \angle \theta_c} = \frac{|V_{cn}|}{|Z_c|} \angle \delta_c - \theta_c = |I_{Lc}| \angle \alpha_c$$

characteristics!



- > In case of constant voltage the current might be constant whatever may be load
- > In case of constant power, If voltage increase current might be decrease ($P = VI$)
- > In case of constant impedance. If voltage increase, current also increases ($I = \frac{V}{Z} \rightarrow \text{const}$)

A load of 100 kW is connected to the substation. The 15 minutes weekly maximum demand is given by 80 kW. and weekly energy consumption is 4250 kWh. find the demand factor and load factor weekly.

Sol:- Given:

connected load = 100 kW
 maximum demand = 80 kW
 Total no. of units generated = 4250

$$\text{demand factor} = \frac{\text{max demand}}{\text{connected load}}$$

$$= \frac{80}{100} = 0.8$$

$$\text{Load factor} = \frac{\text{Avg demand}}{\text{max demand}}$$

$$\text{Avg demand} = \frac{\text{Total no. of units generated}}{\text{Time}}$$

$$\text{Load factor} = \frac{\frac{4250}{24 \times 7}}{80}$$

$$\text{Load factor} = \frac{4250}{80 \times 24 \times 7}$$

$$\boxed{\text{Load factor} = 0.316}$$

The input to the distribution substation is 90,600 mwh. on the peak load day the peak is 30 MW and the energy input that day is 300.5 mwh. Find load factor for the year and for the peak load day?

Given:-

Total no. of units generated annually = 90,600 kWh
 max demand = 30 MW

Total no. of units generated on peak load day = 300.5 mwh

$$\text{load factor} = \frac{\text{Total no. of units generated}}{\text{max demand}}$$

$$\text{annual load factor} = \frac{\text{Aug load}}{\text{max demand}}$$

$$\text{annual Aug load} = \frac{\text{Total no. of units generated}}{\text{Time}}$$

$$\text{load factor} = \frac{90600}{30 \times 8760} = 0.344$$

$$\text{load factor on peak load day} = \frac{\text{Avg load on that day}}{\text{max demand}}$$

$$\text{Avg load on that day} = \frac{\text{Total no. of units generated on that day}}{\text{Time}}$$

$$= \frac{300.5}{24}$$

$$\text{Daily load factor} = \frac{300.5}{30 \times 24}$$

$$= 0.417$$

The annual peak load ~~is~~ ~~Assume~~ that there are six input to a primary feeder is 1500 kW. The voltage drop and losses shows that the total losses at the time of peak load is 100 kW. The total annual energy supplied to the sending end feeder is 5.5×10^6 kWh.

a) Determine annual loss factor

b) calculate the annual energy loss and the annual cost if unit charge is 2.5

$$\text{sol:} \quad \text{Loss factor} = 0.3(L.F) + 0.7(L.F)^2$$

$$\text{Load factor} = \frac{\text{Avg load}}{\text{max demand}}$$

$$\text{Avg load} = \frac{\text{Total no. of units generated}}{\text{Time}}$$

$$= \frac{5.5 \times 10^6}{8760}$$

$$\text{Load factor} = \frac{5.5 \times 10^6}{8760 \times 1500}$$

$$\text{Load factor} = 0.418$$

$$\text{Loss factor} = 0.3(0.418) + 0.7(0.418)^2$$

$$= 0.2477$$

ii) Total annual energy loss

$$\text{Loss factor} = \frac{\text{Avg power loss}}{\text{Power loss at peak load}}$$

$$0.2477 = \frac{\text{Avg power loss}}{100}$$

$$\text{Avg power loss} = 24.77 \times 10^3 \text{ W}$$

$$\text{Total annual power loss} = 24.77 \times 8760$$

$$\text{Total annual energy loss} = 216.99 \times 10^3 \text{ kWh}$$

$$\text{Total annual cost of loss} = 216.99 \times 10^3 \times 2.5$$

$$= \boxed{5,42,477.5 \text{ Rs}}$$

Assume that there are six residential customers connected to distribution transformers. The connected load is 8 kW per house and that the demand factor and diversity factor for the group of six houses are 0.65 and 1.2 respectively. Determine the diversified (or) coincident max demand of group of six houses on transformers.

Total connected load = 10×8 = sum of individual load

$$\text{Demand factor} = 0.65$$

$$\text{Diversity factor} = 1.2$$

coincident max demand = ?

$$\text{Demand factor} = \frac{\text{maximum demand}}{\text{connected load}} \rightarrow (1)$$

$$\text{Diversity factor} = \frac{\text{sum of individual loads}}{\text{max demand}} \rightarrow (2)$$

from (1) max demand = demand factor \times connected load

from (2) max demand = $\frac{\text{sum of individual loads}}{\text{diversity factor}}$

from (1) and (2)

$$\text{coincident max demand} = \frac{\text{connected load} \times \text{demand factor}}{\text{diversity factor}}$$

$$= \frac{10 \times 8 \times 0.65}{1.2}$$

$$= 26 \text{ kW}$$

A substation has a connected load of 45 MW and max demand of 22 MW, the units supplied being 6×10^6 per annum. Determine a) demand factor b) load factor.

Sol:- Demand factor = $\frac{\text{max demand}}{\text{connected load}}$

$$= \frac{45}{22} = 0.488$$

Load factor = $\frac{\text{Avg load}}{\text{max demand}}$

Avg load = $\frac{\text{Total no. of units generated}}{\text{Time}}$

$$= \frac{6 \times 10^6}{8760} = 6849.3 \text{ kW}$$

Load factor = $\frac{6849.3 \times 10^3}{22 \times 10^6} = 0.311$ (or) 31.1%

A substation is to supply in an urban area having the following particulars.

- i) 1000 houses with average connected load of 2 kW in each house, the demand factor is 0.4
- ii) 15 factories having overall maximum demand of 100 kW
- iii) 10 box wells of 7 kW each operating together in morning

The diversity factor among above three types of customers is 1.2. What should be minimum capacity of substation?

Sol:- minimum capacity of substation is sum of max demands of all loads.

i) Total connected load = 1000×2

demand factor = $\frac{\text{connected load}}{\text{max demand}}$

$$0.4 = \frac{1000 \times 2}{\text{max demand}}$$

$$\text{max demand} = \frac{1000 \times 2}{0.4}$$

$$\text{Demand factor} = \frac{\text{max demand}}{\text{connected load}}$$

$$0.4 = \frac{\text{max demand}}{1000 \times 20}$$

$$\text{max demand} = 800 \text{ kW}$$

$$\text{ii) Total connected load} = \cancel{15 \times 100} \\ = \cancel{1500} \text{ kW}$$

$$\text{ii) maximum demand for factories} = 100 \text{ kW}$$

$$\text{iii) Total connected load} = 10 \times 7 \\ = 70 \text{ kW}$$

$$\text{sum of max demand} = 800 + 100 + 70 \\ = 970$$

As diversity factor among three types of load is 1.2

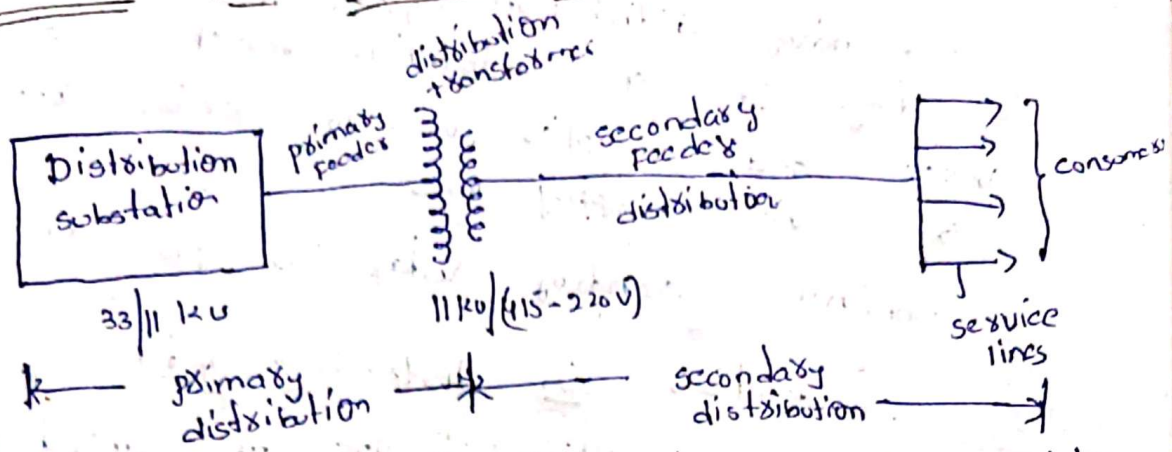
$$\text{diversity factor} = \frac{\text{sum of individual max demand}}{\text{max demand on station}}$$

$$1.2 = \frac{800 + 100 + 70}{\text{max demand on station}}$$

$$\text{max demand on station} = \frac{970}{1.2}$$

$$= 808.33 \text{ kW}$$

Introduction to distribution system



Distribution system starts from distribution substation. Distribution substation consist at a transformer which stepped down the voltage from 33 kV which comes from transmission line to 11 kV.

→ This 11 kV is transferred through to distribution transformer through primary feeders. This is called primary distribution.

→ Distribution is again stepped down the voltage from 11 kV/415V-220V. This voltage is transferred to service lines and from service line we can get the power to our energy meter. This is called secondary distribution.

→ Distribution system is a part of power system existing b/w distribution substation and the consumers.

Distribution system is further classified on basis of supply voltage

- 1) primary distribution
- 2) secondary distribution

primary distribution:

primary distribution system exist between distribution substation and distribution transformer.

→ The power can be transferred from distribution station to distribution transformer through primary feeders.

→ nominal primary voltage is 11 kV.

Secondary distribution:

Secondary distribution system receives power from secondary side of distribution transformer at low voltage and supplies power to various connected loads via supply lines.

- nominal secondary voltage is 440V, 220V.

Design considerations in distribution systems:

-> Good voltage regulation is the most important factor in a distribution system for delivering good service to consumers.

Feeder:

Feeders are the conductors that are connected between distribution substation and primary of distribution transformer to transfer power.

-> current loading of the feeder is uniform along the whole of its length since no loadings are taken from it.

-> Design of feeder is mainly based on the current that is to be carried.

Distributor

Distributors are the conductors which run along the street (or) an area to supply power to consumers.

-> current loading of distributor is not uniform and it varies along the length.

-> Design of distributor is mainly influenced by voltage drop along the length.

Service main:

Service mains are the conductors connecting distribution distributor and making point of consumer terminals.

sub main:

sub main ~~is~~ refers to several connection given to the ~~conductor~~ different loads (light, fans, motor etc) from the energy meter.

Area of cross section of sub main conductor is greater than service main.

Factors affecting distribution system losses:

- 1) Inadequate size of conductor
- 2) Feeder length
- 3) Location of distribution transformer
- 4) Low voltage
- 5) Use of over rated distribution transformer
- 6) Low power factor.

1) Inadequate size of conductor?

conductor size of feeder must be adequate.
If not the losses may get increases.

→ we know $R = \frac{\rho l}{A}$

If Area of conductor ~~increases~~ decrease.
may increases. If resistance increase the losses of system gets increased.

→ so the conductor size for the same rating current should be adequate.

→ The conductor size for rating current should be less the losses may get increased.

2) Feeder length

The losses may depend on feeder length.

→ If the feeder length is high the losses are also high. $(R = \frac{\rho l}{A})$ $\boxed{R \propto l}$
i.e. If length is high, the resistance is also high. i.e. $I^2 R$ loss increased.

→ If length of feeder is low the losses is also low.

Power loss :-

3) Low voltage

we know $P = VI \cos\phi$

Assume $\cos\phi = 1$

$$P = VI$$

So if voltage is decreased in order to maintain power constant the current may get increases. which increases the line losses. \rightarrow so in order to reduce the loss the voltage should be in a pre defined value.

4) Low power factor

In most of distribution system, it is found that the power factor varies from 0.65 to 0.75. A low power factor contributes towards high distribution losses. For a given load, if power factor is low, the current drawn is high, consequently the loss is proportional to square of current will be more.

Thus line losses owing to the poor P.F. can be reduced by improving the P.F. This can be done by application of shunt capacitor.

5) Use of oversized distribution transformer

Methods of Reducing Distribution System Losses :

- 1) HV distribution system
- 2) Feeder Reconfiguration.
- 3) Reinforcement of the feeders.
- 4) Grading of Conductor
- 5) Construction of new substation
- 6) Reactive power compensation.

Classification of distribution systems

1) Based on nature of current:-

A) Dc distribution system

B) Ac distribution system

-> primary distribution system

-> secondary distribution system

2) Based on type of construction

A) overhead distribution system

B) underground distribution system

3) Based on type of service

A) General lighting and power

B) Industrial power

C) Railways

D) street lights

4) Based on scheme connection

-> Radial distribution system

-> Ring distribution system (loop)

-> Interconnected distribution system

Requirement and design features of distribution system

Requirements:-

-> The continuity in the power supply must ensure system reliability

-> The efficiency of the lines must be high as possible

-> The system should be safe and no leakage from consumer point of view

-> The line should not be overload

-> The system should be economical

-> A considerable amount of effort is necessary to maintain an electric power supply within the requirements of various types of consumers.

→ Some of the requirements of good distribution system are:

- 1) Proper voltage
- 2) Availability of power on demand
- 3) Reliability

1) Proper voltage :-

→ One important requirement of distribution system is that voltage variation at consumers' terminals should be as low as possible.

→ The changes in voltage are generally caused due to variation of load on the system.

→ Low voltage cause inefficient lighting and possible burning out of motors.

→ High voltage cause lamps to burn out permanently and may cause failure of other appliances.

→ ∴ A good distribution system should ensure that the voltage variation at consumer terminals are within permissible limits.

→ The limits of voltage variation is $\pm 6\%$ of rated value at consumer terminals.

→ Thus if rated voltage is 230V, then the highest voltage at consumer should not exceed 244V while the lowest voltage of consumer should not be less than 216V.

2) Availability of power on demand :-

→ Power must be available to consumer in any amount that they may require from time to time.

→ As electrical energy can not be stored, therefore, the distribution system must be capable of supplying load demands of consumers.

-> This necessity that operating staff must continuously study load patterns to predict in advance load changes.

3) Reliability:-

modern industry is almost dependent on electric power for its operation.

-> Homes and office buildings are lighted, heated, cooled and ventilated by electric power. This calls for reliable service.

-> Unfortunately electric service power, like everything else that is man made, can never be absolutely reliable.

However the reliability can be improved by!

a) Interconnected system

b) Reliable automatic control system.

c) providing additional reserve facility

Design features of distribution system

-> The distribution system should be designed so as to be economical.

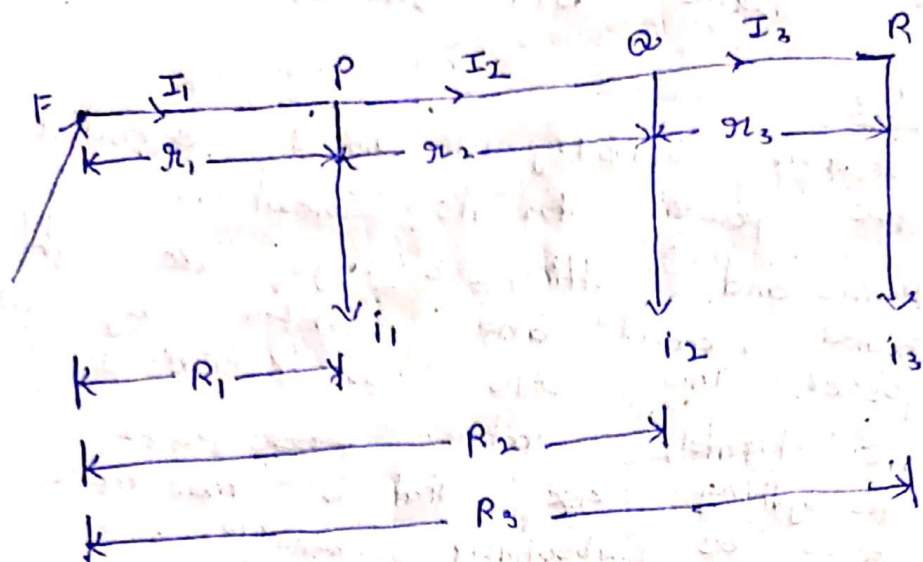
-> Both voltage drop and current ratings in addition to overall economy are important considerations in design of distribution system.

-> The cross sectional area of feeder is determined on basis of current to be carried and for overall economy.

-> The consideration of voltage drop is not important in design of feeder because no consumer is tapped off from it.

-> The voltage regulation is very important in the design of distribution. ~~because~~
The voltage variations permissible at consumer terminals is $\pm 6\%$.

DC distribution fed at one end with concentrated load



i_1, i_2, i_3 are the currents tapped off from distribution.
 I_1, I_2, I_3 are currents passing in various branches.
 r_1, r_2 and r_3 and R_1, R_2 and R_3 are resistance of various sections and total resistance fed from point F to the successive tapping points respectively.

∴ the voltage drop from F to R is

$$V_{FR} = I_1 r_1 + I_2 r_2 + I_3 r_3 \quad I_1 = i_1 + i_2 + i_3$$

$$V_{FR} = (i_1 + i_2 + i_3) r_1 + (i_2 + i_3) r_2 + i_3 r_3 \quad I_2 = i_2 + i_3$$

$$V_{FR} = i_1 r_1 + i_2 r_2 + i_3 r_3 \quad I_3 = i_3$$

$$V_{FR} = i_1 r_1 + i_2 r_2 + i_3 r_1 + i_2 r_2 + i_3 r_2 + i_3 r_3 \quad R_1 = r_1$$

$$V_{FR} = i_1 r_1 + i_2 (r_1 + r_2) + i_3 (r_1 + r_2 + r_3) \quad R_2 = r_1 + r_2$$

$$V_{FR} = i_1 R_1 + i_2 R_2 + i_3 R_3 \quad R_3 = r_1 + r_2 + r_3$$

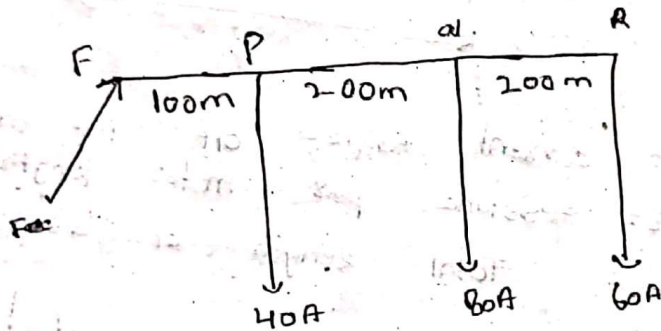
Thus the drop at far end of the distributor fed at one end is equal to sum of drops at different tappings.

voltage drop any intermediate point Q is

$$\begin{aligned}
 V_{FQ} &= I_1 r_1 + I_2 r_2 \\
 &= (i_1 + i_2 + i_3) r_1 + (i_2 + i_3) r_2 \\
 &= (i_1 + i_2 + i_3) r_1 + i_2 r_2 + i_3 r_2 \\
 &= i_1 r_1 + i_2 (r_1 + r_2) + i_3 (r_1 + r_2)
 \end{aligned}$$

$$\boxed{V_{FQ} = i_1 R_1 + i_2 R_2 + i_3 R_2}$$

A DC two wire distributor, 500m long and fed at one end is shown in fig. The total resistance of the distributor is 0.02Ω . Determine the voltage at the far end F when voltage at the far end is 220 V.



Given data:

Total length = 500 m

Resistance of distributor = 0.02Ω

Resistance for 1m = $\frac{0.02}{500} = 4 \times 10^{-6} \Omega/m$

Resistance for point P = $100 \times 4 \times 10^{-6} \Omega/m$

Resistance for point Q = $300 \times 4 \times 10^{-6} \Omega/m$

Resistance upto point R = $500 \times 4 \times 10^{-6} \Omega/m$

voltage drop

$$V_{FR} = i_1 R_1 + i_2 R_2 + i_3 R_3$$

$$= (40 \times 100 \times 4 \times 10^{-6}) + 60 \times 300 \times 4 \times 10^{-6} + \frac{60 \times 500 \times 10^{-6}}{500}$$

$$V_{FR} = 2.32 \text{ V}$$

$$\text{Drop} = 2.32 \text{ V}$$

voltage at receiving end $V_2 = 220 \text{ V}$

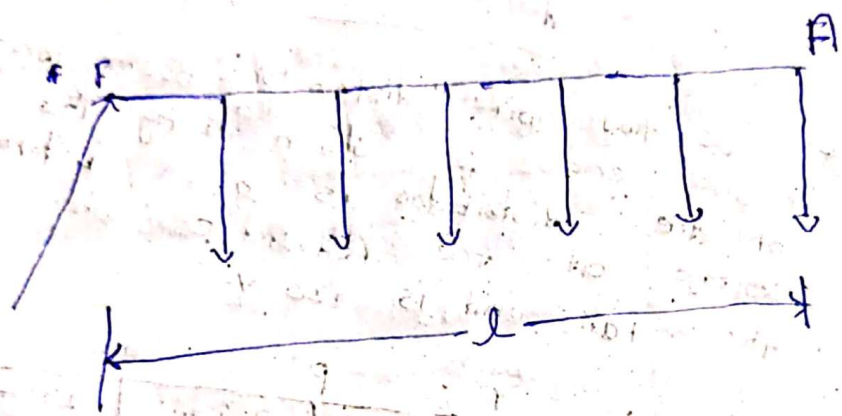
voltage at sending end = voltage at receiving end + drop

$$V_1 = 220 + 2.32$$

$$V_F = 232.32 \text{ V}$$

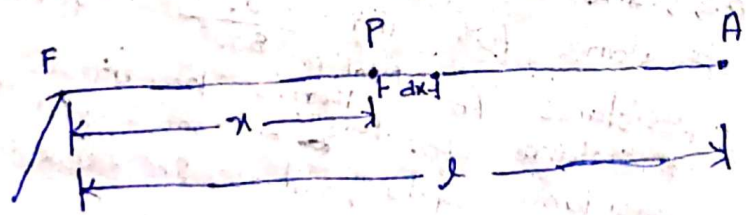
DC distributor fed at one end with uniform load:
 uniform load means current is same at all
 tapings.

A single wire two wire dc distributor "FA" fed at one end is loaded uniformly with $i \text{ A/m}$ and the length "l" as shown in fig.



- $i =$ current tapped off per meter length.
- $r =$ resistance per meter length.
- $l =$ Total length of distributor.

consider a point P on the distributor at a distance of "x" from feeding point "F" as shown in fig.



\therefore current at P $i(l-x)$

consider a small section dx from point P. And the voltage drop is small section dx is dv
 $dv = i(l-x)r dx$
 resistance of section $dx = r dx$

voltage drop at any point x from feed end F is

$$V_{Fx} = \int_0^x i \, du$$

$$V_{Fx} = \int_0^x i(l-u) \, du$$

$$V_{Fx} = i \int_0^x (l-u) \, du$$

$$V_{Fx} = i \int_0^x l \, du - \int_0^x u \, du$$

$$= i \left[lx - \frac{u^2}{2} \right]_0^x$$

$$V_{Fx} = i \left[lx - \frac{x^2}{2} \right]$$

The voltage drop over the whole distributor can be obtained by substituting $x=l$

$$V_{FA} = i \left[l(l) - \frac{l^2}{2} \right]$$

$$= i \left[l^2 - \frac{l^2}{2} \right]$$

$$V_{FA} = i \left[\frac{l^2}{2} \right]$$

$$V_{FA} = \frac{1}{2} i (l^2)$$

$$V_{FA} = \frac{1}{2} (i \times l) \times (l \times l)$$

$$V_{FA} = \frac{1}{2} IR$$

where I is total current feeding at point 'F'.
 R is total resistance of distributor

Power loss over a length du is

$$P_{loss} = I^2 R$$

P_{loss} at length $du = (\text{current in length } du)^2 \times (\text{resistance of length } du)$

$$P_{loss} \text{ at length } du = i(l-x)^2 \times r \, du$$

Total power loss on distributor

$$P_{loss} = \int_0^l (i(l-x))^2 r \, dx$$

$$P_{loss} = i^2 r \int_0^l (l-x)^2 \, dx$$

$$= i^2 r \int_0^l (l^2 + x^2 - 2lx) \, dx$$

$$= i^2 r \left[l^2 x + \frac{x^3}{3} - 2l \cdot \frac{x^2}{2} \right]_0^l$$

$$P_{\text{Loss}} = i^2 r \left[\frac{e^3}{3} + \frac{e^3}{3} - e^3 \right]$$

$$= i^2 r \left[\frac{e^3}{3} \right]$$

$$P_{\text{Loss}} = \frac{i^2 r e^3}{3}$$

$$P_{\text{Loss}} = \frac{1}{3} (i.e)^2 \times r.e$$

$$P_{\text{Loss}} = \frac{1}{3} I^2 R$$

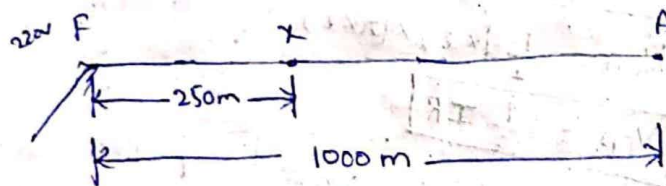
A DC two wire distribution of length 1000 m is loaded uniformly at 2 A/m. The distributor is fed at one end at 220 V. Determine

i) voltage drop at distance 250 m from feeding point

ii) voltage drop at far end.

Assume loop resistance = $3 \times 10^{-5} \Omega/\text{m}$

Sol.



Given:

$$i = 2 \text{ A/m}$$

$$r = 3 \times 10^{-5} \Omega/\text{m}$$

$$l = 1000 \text{ m}$$

$$x = 250 \text{ m}$$

i) voltage drop at distance 250 m from feeding

$$V_{Fx} = i r \left[lx - \frac{x^2}{2} \right]$$

$$= 2 \times 3 \times 10^{-5} \left[1000 \times 250 - \frac{(250)^2}{2} \right]$$

$$V_{Fx} = 13.125 \text{ V}$$

ii) voltage drop at far end is

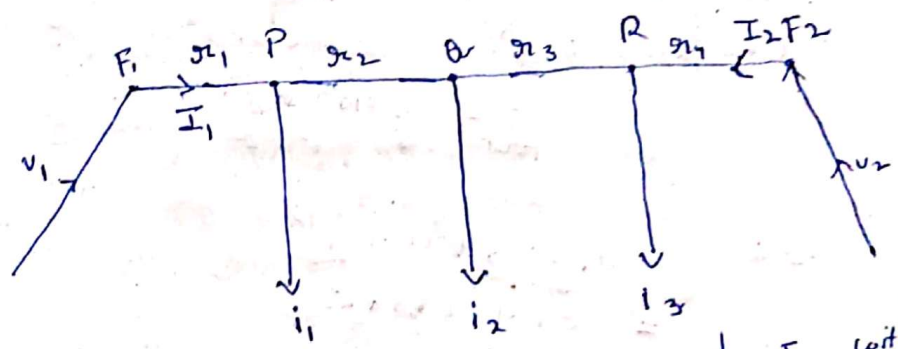
$$V_{FA} = \frac{i r l^2}{2}$$

$$V_{FA} = \frac{2 \times 3 \times 10^{-5} \times 1000^2}{2}$$

$$V_A = 30V$$

DC distributor load fed at both ends with concentrated

- > Drawback of dc distributor fed at one end is that the consumer who is far away from the feeding end suffers with low voltage problem.
- > In order to reduce the voltage drop, the distributor fed at both ends rather
- > Thus the distributor fed at both ends is more economical compared to distributor fed at one end
- > when the voltage is fed at both ends, the point of minimum potential occurs in between feeding points (i.e. at centre of feeder) and it varies with load on different sections of distributor



consider a distributor fed at F_1 and F_2 with voltages V_1 and V_2 respectively as shown in fig.

I_1 and I_2 are the current supplied from F_1 and F_2

$$\therefore I_1 + I_2 = i_1 + i_2 + i_3$$

The sum of voltage drop in different section from F_1 is equal to the difference of feeding voltage of F_1 and F_2 .

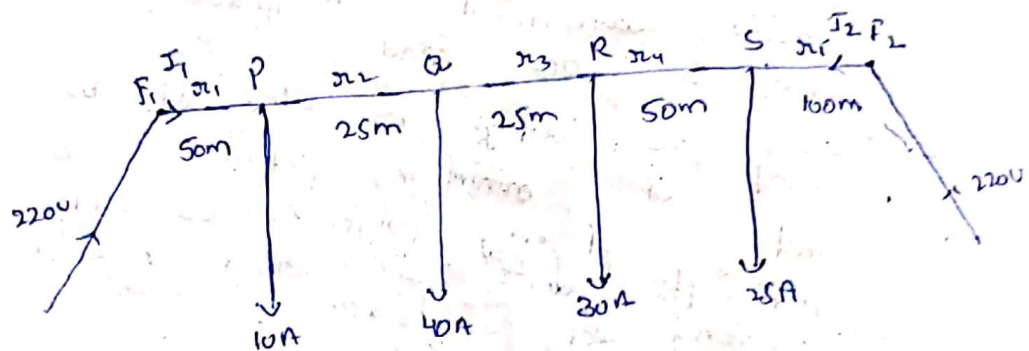
$$V_1 - V_2 = I_1 r_1 + (I_1 - i_1) r_2 + (I_1 - i_1 - i_2) r_3 + I_2 r_4 + (I_2 - i_3) r_4$$

Two wire distributors F_1 and F_2 are fed at both ends with same voltage of 220V. The length of distributor is 250m and the loads tapped off from the end F_1 are

Distance in (m) : 50 75 100 150
 Load in (A) : 10 40 30 25

The resistance per km of both distributor is $0.2 \Omega / \text{km}$. Find the

- > current in each section
- > voltage at each load point



$$\text{Resistance / km} = 0.2 \Omega$$

$$= \frac{0.2}{1000} = 2 \times 10^{-4} \Omega / \text{m}$$

$$I_1 + I_2 = i_1 + i_2 + i_3 + i_4$$

$$= 10 + 40 + 30 + 25$$

$$= 105 \text{ A}$$

voltage drop

$$V_1 - V_2 = I_1 r_1 + (I_1 - i_1) r_2 + (I_1 - i_1 - i_2) r_3 + (I_1 - i_1 - i_2 - i_3) r_4$$

$$+ (I_1 - i_1 - i_2 - i_3 - i_4) r_5$$

$$0 = I_1 \times 50 \times 2 \times 10^{-4} + (I_1 - 10) \times 25 \times 2 \times 10^{-4} + (I_1 - 10 - 40) \times 25 \times 2 \times 10^{-4}$$

$$+ (I_1 - 10 - 40 - 30) \times (50 \times 2 \times 10^{-4}) + (I_1 - 10 - 40 - 30 - 25)$$

$$\times (100 \times 2 \times 10^{-4})$$

$$0 = 0.01 I_1 + 0.005 I_1 - 0.05 + 0.005 I_1 - 0.25 + 0.01 I_1 -$$

$$0.84 - 2.1$$

$$0 = 0.05 I_1 - 3.2$$

$$\boxed{I_1 = 64 \text{ A}}$$

$$I_1 + I_2 = 105$$

$$I_2 = 105 - I_1$$

$$I_2 = 105 - 64$$

$$I_2 = 41 \text{ A}$$

i) current in each section $I_1 = 64 \text{ A}$

$$I_{F1P} = I_1 = 64 \text{ A}$$

$$I_{PQ} = I_{F1P} - 10$$

$$I_{PQ} = 64 - 10 = 54$$

$$I_{QR} = I_{PQ} - 40$$

$$I_{QR} = 54 - 40 = 14 \text{ A}$$

$$I_{RS} = I_{QR} - 30$$

$$= 14 - 30 = -16 \text{ (i.e. current flow from S to R)}$$

$$I_{SR} = 16 \text{ A}$$

$$I_{F2S} = I_2 = 41 \text{ A}$$

ii) voltage drop at point p is $V_p = V_{F1} - \text{voltage drop}$
(V_{F1P})

voltage drop at F1P = current \times resistance

current at F1P = 64 A

resistance = $5 \times 10^{-4} \times 50$

$$V_p = 220 - (64 \times 50 \times 2 \times 10^{-4})$$

$$V_p = 219.36 \text{ V}$$

voltage at point Q = $V_Q = V_p - \text{voltage drop at } V_{PQ}$

$$= 219.36 - (54 \times 25 \times 2 \times 10^{-4})$$

$$V_Q = 219.09 \text{ V}$$

voltage at point R is $V_R = V_Q - \text{voltage drop at } V_{QR}$

$$= 219.09 - (14 \times 25 \times 2 \times 10^{-4})$$

$$= 219.02 \text{ V}$$

voltage at point S

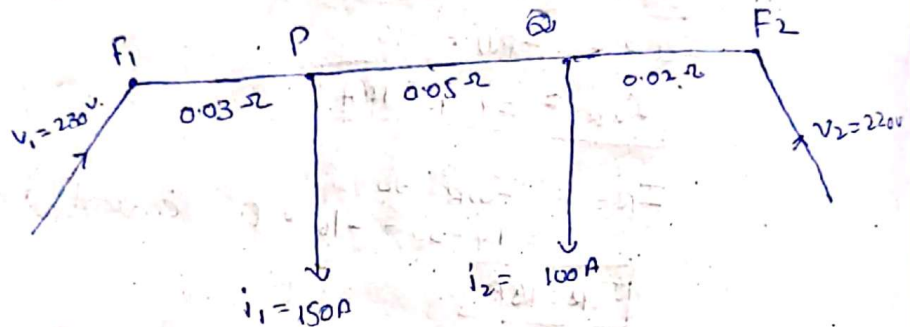
$$V_S = V_{F2} - V_{F2S}$$

$$= 220 - (41 \times 100 \times 2 \times 10^{-4})$$

$$V_S = 219.18 \text{ V}$$

A Two wire DC distributor is fed at both ends F_1 and F_2 with 230V and 220V respectively. Load of 150A and 100A are tapped off at load points P and Q. Resistance of the distributor section P and Q is 0.03Ω , Resistance of distributor section Q and Q is 0.05Ω , Resistance of distributor section Q and F_2 is 0.02Ω respectively. Determine the current in each section of distributor and voltage at each load point?

Sol:-



$$I_1 + I_2 = 150 + 100 = 250 \text{ A}$$

$$V_1 - V_2 = I_1 \times r_1 + (I_1 - i_1) \times r_2 + (I_1 - i_1 - i_2) \times r_3$$

$$230 - 220 = I_1 \times 0.03 + (I_1 - 150) \times 0.05 + (I_1 - 150 - 100) \times 0.02$$

$$10 = 0.03 I_1 + 0.05 I_1 - 7.5 + 0.02 I_1 - 5$$

$$10 = 0.1 I_1 - 12.5$$

$$\boxed{I_1 = 225 \text{ A}}$$

$$I_1 + I_2 = 250$$

$$225 + I_2 = 250$$

$$\boxed{I_2 = 25 \text{ A}}$$

i) current at each section.

$$I_{F_1 P} = I_1 = 225 \text{ A}$$

$$I_{P Q} = I_{F_1 P} - 150$$

$$= 225 - 150 = 75 \text{ A}$$

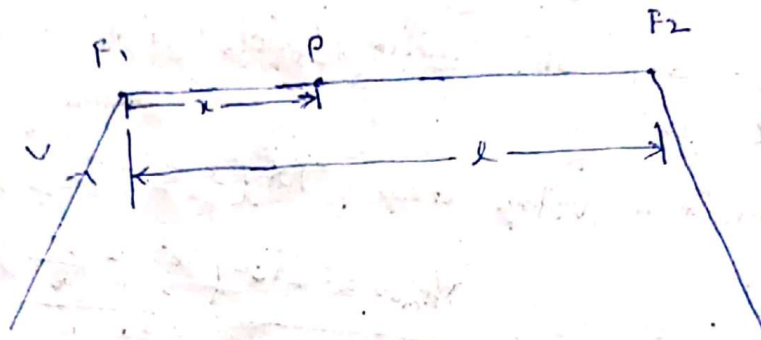
$$I_{F_2 Q} = I_2 = 25 \text{ A}$$

ii) voltage at point p is $V_p = V_{F1} - dI_1p$
 $= 230 - 225 \times 0.03$
 $V_p = 223.25 \text{ V}$

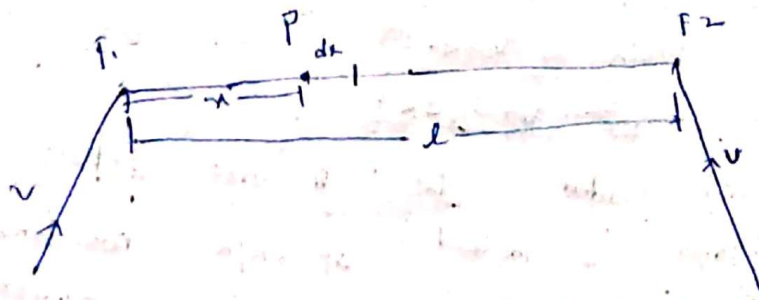
voltage at point a is $V_a = V_p - V_{pd}$
 $= 223.25 - (75 \times 0.05)$
 $V_a = 219.5 \text{ V}$

voltage at

DC distributor and load fed at both ends with uniform same voltage



when the voltage at both ends is same, the middle point becomes the point of minimum potential. Thus the distributor can be image to be cut into two, at the middle point giving rise to two uniformly loaded distributors each fed at one end. The current applied to distributor = i



consider a point P on distributor at distance of x from feeding point "F1" as shown in above fig

\therefore current at P = $i(l-x)$

consider a small section dx from point P and voltage drop in small section $dV = dV$

$$dv = i(l-x)r dx$$

voltage drop at any point at x from feeding end is

$$V_{px} = \int_0^x dv$$

$$V_{px} = \int_0^x i(l-x)r dx$$

$$= ir \int_0^x (l-x) dx$$

$$= ir \left[lx - \frac{x^2}{2} \right]_0^x$$

$$\boxed{V_{px} = ir \left(lx - \frac{x^2}{2} \right)}$$

The drop at middle point is maximum i.e. at $x = l/2$

$$\text{maximum voltage drop} = ir \left(l \frac{l}{2} - \frac{(l/2)^2}{2} \right)$$

$$V_{\text{max}} = ir \left(\frac{l^2}{2} - \frac{l^2}{8} \right)$$

$$\boxed{V_{\text{max}} = ir \left(\frac{3l^2}{8} \right)}$$

$$\Rightarrow V_{\text{max}} = \frac{3}{8} ir l^2$$

$$= \frac{3}{8} (i \cdot l) (r \cdot l)$$

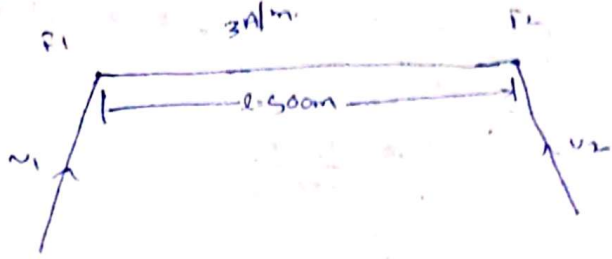
$$\boxed{V_{\text{max}} = \frac{3}{8} IR}$$

$$V_{\text{min}} = V - V_{\text{max}}$$

$$\boxed{V_{\text{min}} = V - \frac{3}{8} IR}$$

A uniformly loaded DC, a wire distributor of 500 m long is loaded at 3 A/m. Resistance is 0.01 Ω /m. Determine maximum voltage drop at both ends with same voltage?

g end



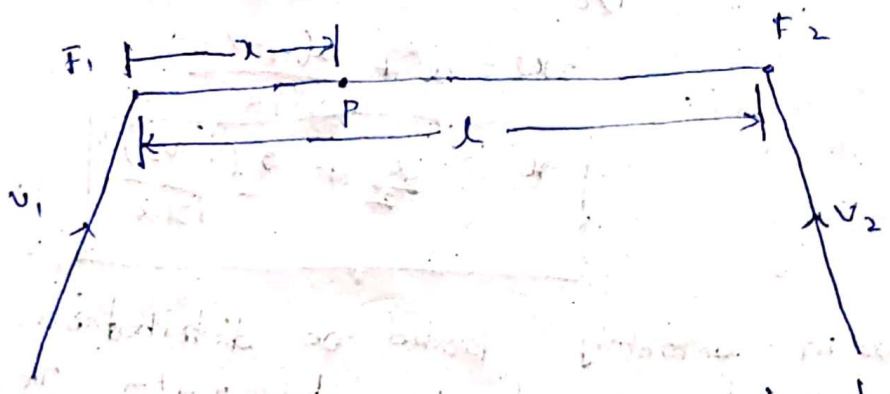
$i = 3 \text{ A/m}$
 $r = 0.012 \text{ } \Omega/\text{km}$
 $R = \frac{0.01}{1000} \text{ } \Omega/\text{m}$

$V_{\text{max}} = \frac{3}{8} i r l^2$
 $= \frac{3}{8} \times 3 \times \frac{0.01}{1000} \times 500^2$

$V_{\text{max}} = 2.8125 \text{ V}$

at

DC distributor fed at both ends with uniform load and different voltage



let i be the current rating of distributor
 r be the resistance in a distributor
 V_1 and V_2 are the voltages fed at points
 F_1 and F_2

voltage drop in section $F_1P = V_{F_1P} = \frac{i r x^2}{2}$
 $= \frac{i r x^2}{2}$

voltage drop in section $F_2P = V_{F_2P} = \frac{i r (l-x)^2}{2}$

voltage at minimum potential point P from F_1 is

$V_p = V_1 - V_{F_1P}$
 $V_p = V_1 - \frac{i r x^2}{2}$

1
 100P
 80P
 2

voltage at minimum potential at point P from F₂ is

$$V_p = V_2 - V_{F_2 P}$$

$$= V_2 - \frac{i x (l-x)^2}{2}$$

$$V_1 - V_{F_1 P} = V_2 - V_{F_2 P}$$

$$V_1 - \frac{i x^3}{2} = V_2 - \frac{i x (l-x)^2}{2}$$

$$V_1 - V_2 = \frac{i x^3}{2} - \frac{i x (l-x)^2}{2}$$

$$V_1 - V_2 = \frac{i x}{2} [x^2 - l^2 + 2lx]$$

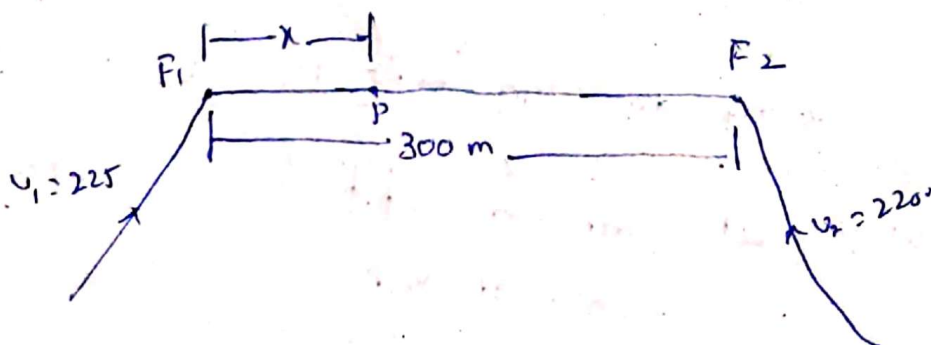
$$V_1 - V_2 = \frac{i x}{2} [2lx - l^2]$$

$$\frac{2(V_1 - V_2)}{i x} = 2lx - l^2$$

$$2xl = l^2 + \frac{2(V_1 - V_2)}{i x}$$

$$x = \frac{l}{2} + \frac{2(V_1 - V_2)}{i x l}$$

A 300 m uniformly loaded DC distributor is fed at both ends F₁ and F₂ at 2 A/m. The loop resistance is 0.2 Ω/km. Find distance b/w leading end F₁ and minimum potential point. Also find voltage at minimum potential point if both feeding ends F₁ and F₂ are fed at 225 V and 220 V respectively. Determine current supplied from feeding end F₁ and F₂.



$$i = 2 \text{ A/m}$$

$$r = 0.2 \text{ A/km} = 2 \times 10^{-7} \text{ A/m}$$

$$l = 300$$

minimum potential point is at x distance.

$$x = \frac{l}{2} + \frac{V_1 - V_2}{i \cdot r}$$

$$x = \frac{300}{2} + \frac{225 - 200}{2 \times 2 \times 10^{-7} \times 300}$$

$$\boxed{x = 191.67 \text{ m}}$$

$$V_p = V_{F_1} - V_{F_1 p}$$

$$= 225 - \frac{i r x^2}{2}$$

$$= 225 - \frac{2 \times 2 \times 10^{-7} \times (191.67)^2}{2}$$

$$V_p = 225 - 7.34$$

$$\boxed{V_p = 217.65 \text{ V}}$$

current fed from F_1 is $i x = 2 \times 191.67 = 383.34 \text{ A}$

current fed from F_2 is $i(l-x) = 2 \times (300 - 191.67) = 216.66 \text{ A}$

Ring main distributor

A distributor which is arranged in the form of closed loop and can be fed at one or more number of feeding points is called as Ring main distributor (or) loop type distributor.

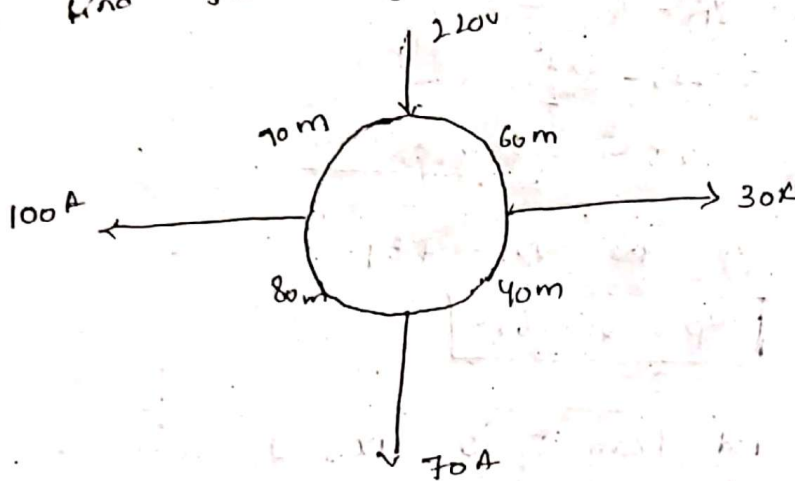
→ For calculating the voltage distribution, a Ring main distributor fed at one point can be treated as equivalent to a straight line distributor fed at both ends at same voltage.

→ In Ring distributor any two load points are joined by means of a connector (or) interconnector.

→ The purpose of interconnector is to reduce the voltage drop in various sections and the distributor is formed as interconnector.

→ The current distribution can be obtained by applying Thevenin's theorem or Kirchoff laws

A 250 m Ring main distributor has loads as shown in the below fig. The resistance of distributor is $0.2 \Omega/\text{km}$. If distributor fed at 220V at point P, then find the voltage at load point Q, R, S?



Given:

$$r = 0.2 \Omega/\text{km} = 2 \times 10^{-4} \Omega/\text{m}$$

let current in PA = I

Applying KV along the ring

$$\Delta V_{PA} + \Delta V_{QR} + \Delta V_{SP} = 0$$

$$(I \times 2 \times 10^{-4} \times 70) + (I - 100 \times 2 \times 10^{-4} \times 80) + (I - 170 \times 2 \times 10^{-4} \times 40) + (I - 200 \times 2 \times 10^{-4} \times 60) = 0$$

$$0.014I + 0.116I - 1.6 + 0.08I - 1.36 + 0.012I - 2.4 = 0$$

$$0.05I = 5.36$$

$$\boxed{I = 107.2 \text{ A}}$$

current in section PA is $I_{PA} = I = 107.2 \text{ A}$

current in section QR is $I_{QR} = I - 100 = 7.2 \text{ A}$

current in section RS is $I_{RS} = I - 170 = -62.8 \text{ A}$ i.e. $I_{RS} = 62.8 \text{ A}$

current in section SP is $I_{SP} = I - 200 = -92.8 \text{ A}$ i.e. $I_{SP} = 92.8 \text{ A}$

voltage at point Q is $V_Q = V_P - V_{PQ}$
 $= 220 - (107.2 \times 2 \times 10^{-4} \times 70)$

$V_Q = 218.492 \text{ V}$

voltage at point R is $V_R = V_Q - V_{QR}$

$= 218.49 - (7.2 \times 2 \times 10^{-4} \times 80)$

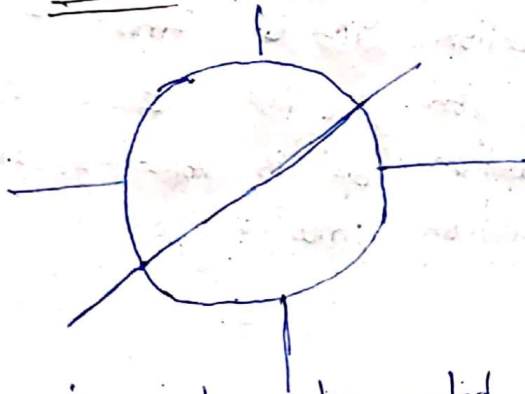
$V_R = 218.38 \text{ V}$

voltage at point S is $V_S = V_P - V_{PS}$

$= 220 - (92.8 \times 60 \times 2 \times 10^{-4})$

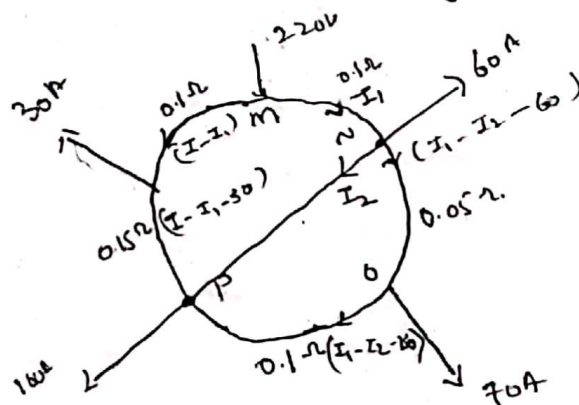
$V_S = 218.8864 \text{ V}$

Interconnected distributor



This is called interconnected distributor.

Find the current in various sections and voltage at various load points of Ring main distributor as shown in below Fig.



Let current in section mn be I_1 and in section np be I_2

Total current fed at point M is $I = 60 + 70 + 100 + 30 = 260 \text{ A}$

Apply KVL to loop mnpqm

$$0.1 I_1 + 0.3 I_2 - 0.15 (230 - I_1) - (260 - I_1) = 0$$

$$0.35 I_1 + 0.3 I_2 = 60.5 \rightarrow \textcircled{1}$$

Apply KVL to loop nopn

$$0.05 (I_1 - I_2 - 60) + 0.1 (I_1 - I_2 - 130) - 0.3 I_2 = 0$$

$$0.15 I_1 - 0.45 I_2 = 16 \rightarrow \textcircled{2}$$

$$\begin{array}{l} I_1 = 158.14 \text{ A} \\ I_2 = 17.16 \text{ A} \end{array}$$

current in section mn is $I_{mn} = I_1 = 158.14 \text{ A}$

current in section no is $I_{no} = I_1 - I_2 - 60 = 81.98 \text{ A}$

current in section op is $I_{op} = I_1 - I_2 - 130 = 10.98 \text{ A}$

current in section mo is