

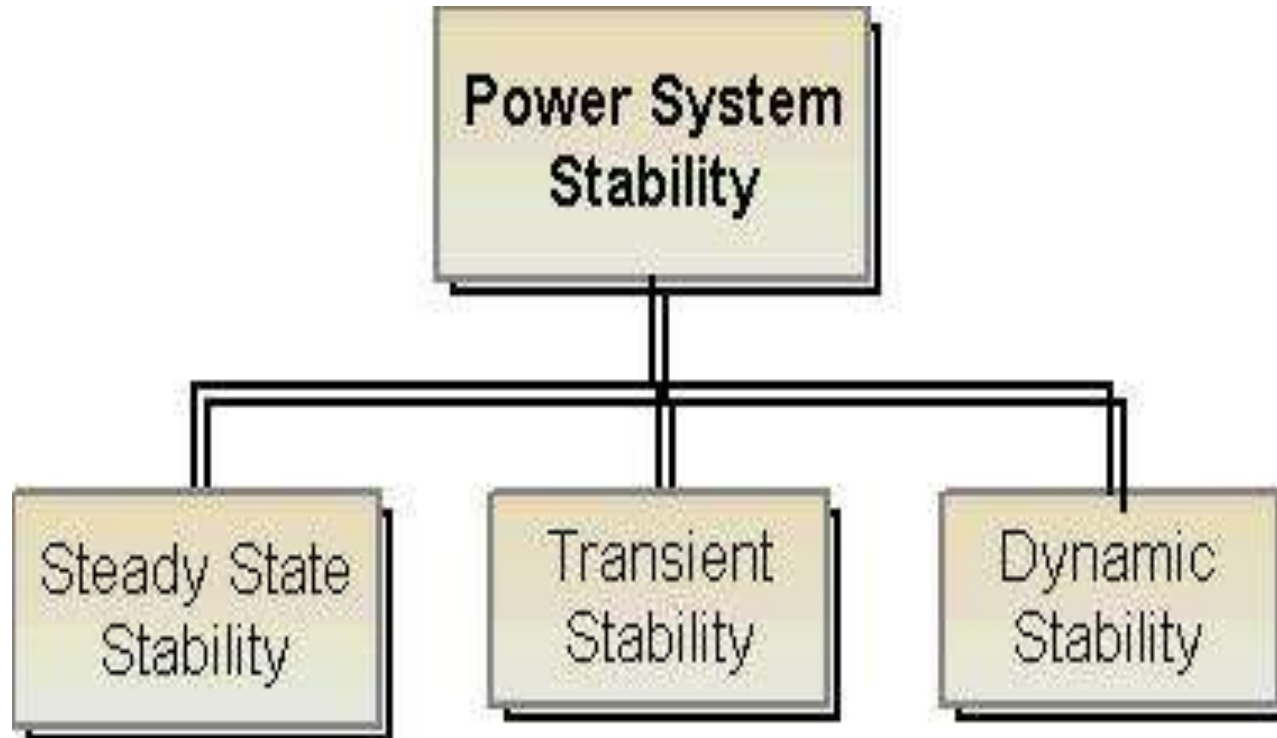
UNIT V

STEADY STATE STABILITY ANALYSIS

STABILITY

- ❖ The tendency of a power system to develop restoring forces equal to or greater than the disturbing forces to maintain the state of equilibrium.
- ❖ Ability to keep the machines in synchronism with another machine

Classification Of Stability



Classification Of Stability

- Steady state stability

Ability of the power system to regain synchronism after small and slow disturbances (like gradual power changes)

- Dynamic stability

Ability of the power system to regain synchronism after small disturbances occurring for a long time (like changes in turbine speed, change in load)

- Transient stability

This concern with sudden and large changes in the network conditions i.e. . sudden changes in application or removal of loads, line switching operating operations, line faults, or loss of excitation.

Steady State Stability Power Limit

- Steady state limit is the maximum power that can be transferred without the system become unstable when the load is increased gradually under steady state conditions.

Transfer Reactance

- steady-state power delivered by a lossless synchronous machine.

$$\begin{aligned} P_e = P_d &= \frac{|E_g||V_t|}{x_d} \sin \delta \\ &= P_{\max} \sin \delta. \end{aligned}$$

- Where X_d is called transfer reactance

Synchronizing Power Coefficient

- From swing equation

$$M_{(pu)} \cdot \frac{d^2\delta}{dt^2} = (P_i - P_e) \text{ pu}$$

- And

$$\begin{aligned} P_e = P_d &= \frac{|E_g||V_t|}{x_d} \sin \delta \\ &= P_{\max} \sin \delta. \end{aligned}$$

Synchronizing Power Coefficient

- Linearizing the operating point $\Delta P_e = \left(\frac{\partial P_e}{\partial \delta}\right)_0 \Delta \delta$.

$$M \frac{d^2 \Delta \delta}{dt^2} = P_i - (P_{e0} + \Delta P_e) = -\Delta P_e$$

$$M \frac{d^2 \Delta \delta}{dt^2} + \left[\frac{\partial P_e}{\partial \delta} \right]_0 \Delta \delta = 0$$

- $\frac{\partial P_e}{\partial \delta}$ is called synchronizing power coefficient.

Power Angle Curve

- Swing equation is $\frac{H}{\pi f_0} \frac{d^2 \delta}{dt^2} = P_m - P_e = P_0$
- The power flow equation of a single machine
- connected to infinite bus (SMIB) system is given as

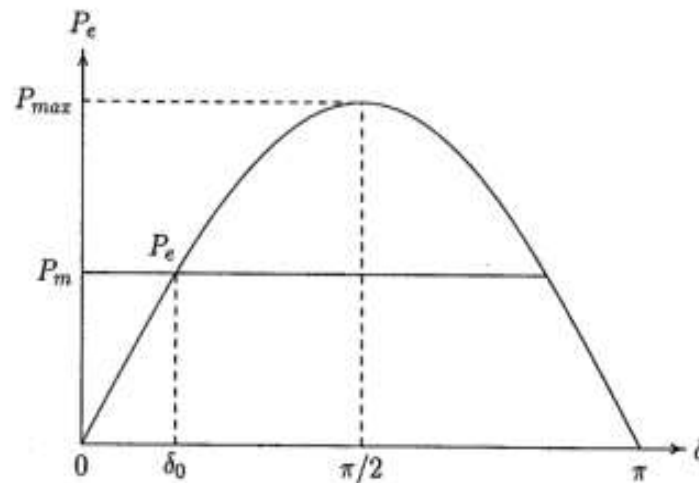
$$P_e = \frac{|E'| |V|}{X_{12}} \sin \delta$$

where

$$P_{\max} = \frac{|E'| |V|}{X_{12}}$$

Power Angle Curve

- Therefore $P_e = P_{\max} \sin \delta$
- The curve P_e versus δ is called power angle curve



Methods to improve Stability

- Use of Bundled Conductors
- Use of Double-Circuit Lines
- Operate Transmission Lines in Parallel
- Series Compensation of the Lines
- Series Compensation of the Lines
- High-Speed Excitation Systems
- Fast Switching
- Breaking Resistors
- Single-Pole Switching
- HVDC Links
- Load Shedding